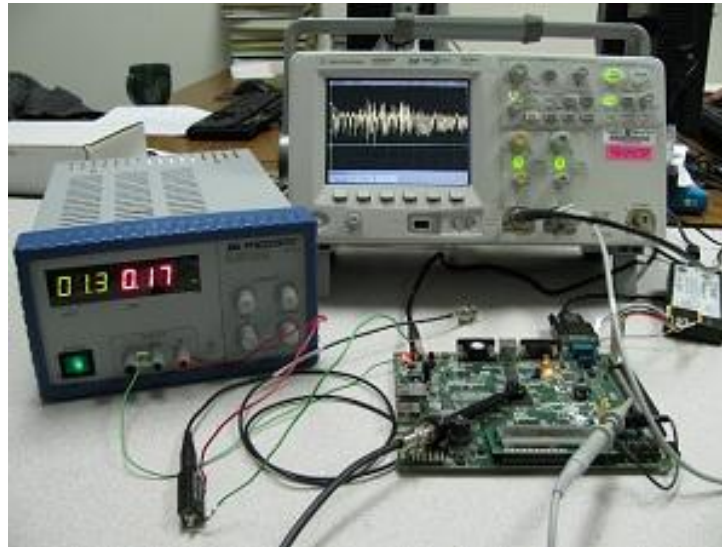


# How to Certify the Leakage of a Chip?



François-Xavier Standaert

UCL Crypto Group, Belgium

**CryptArchi, Fréjus, France, July 2013**

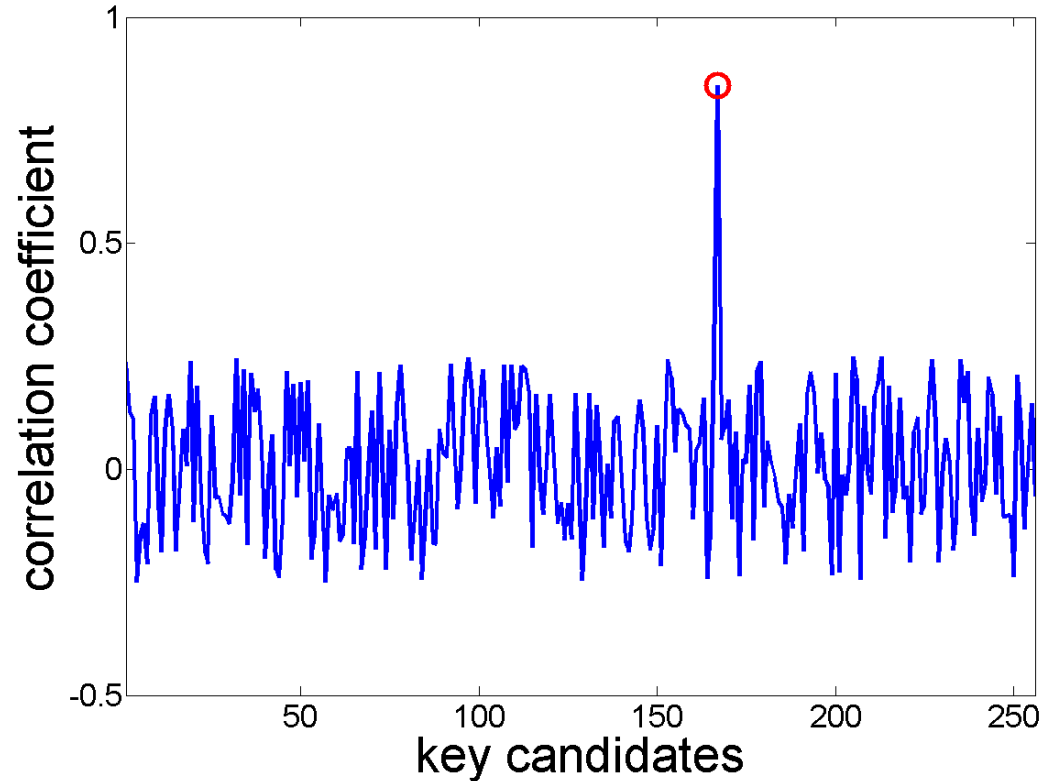
# Outline

- The Eurocrypt 2009 framework revisited
- New results towards information leakage bounds
- Security analyzes and time complexity

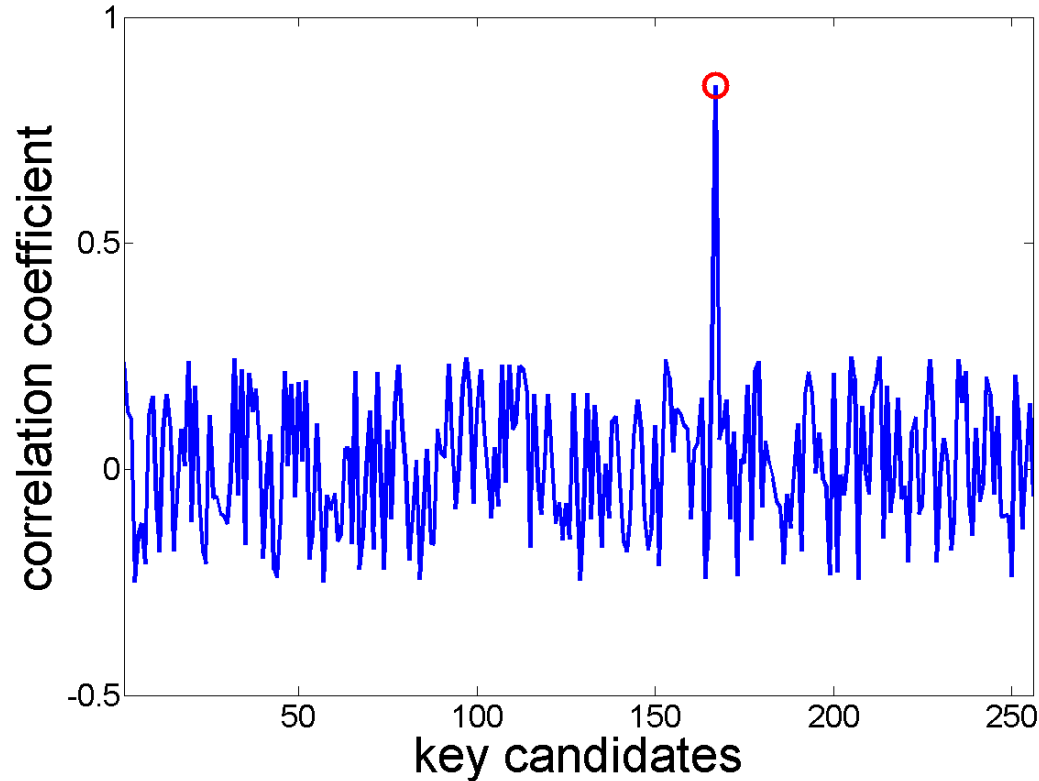
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- Launch a single attack with an arbitrary distinguisher

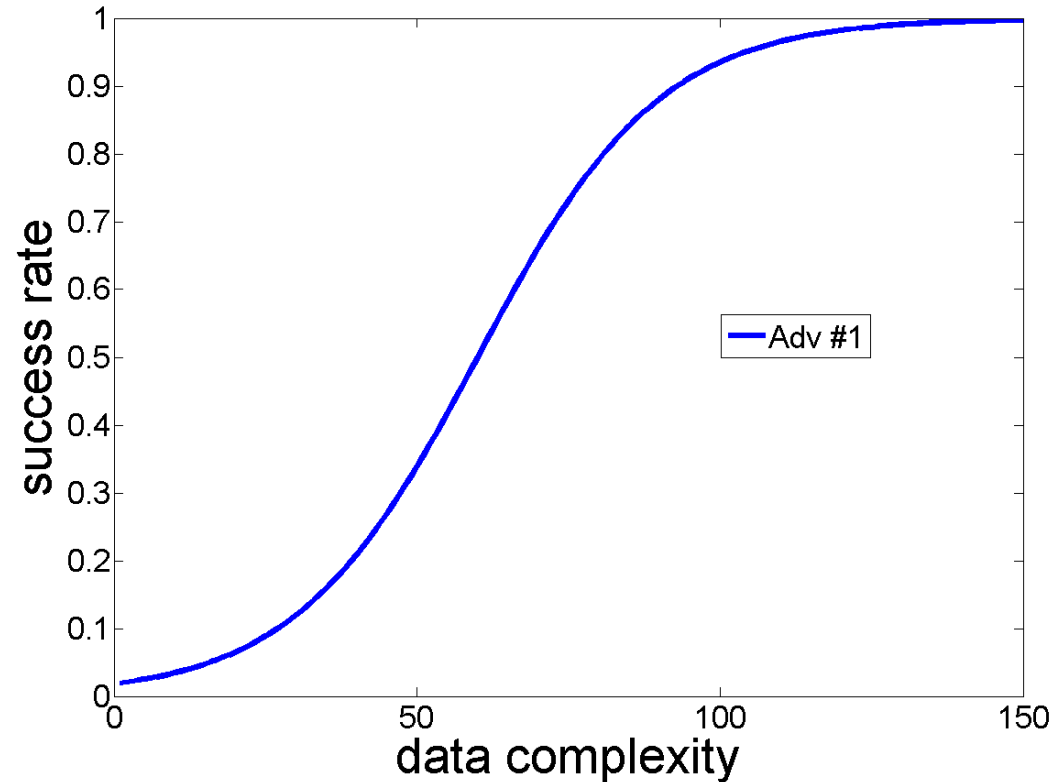


- Launch a single attack with an arbitrary distinguisher

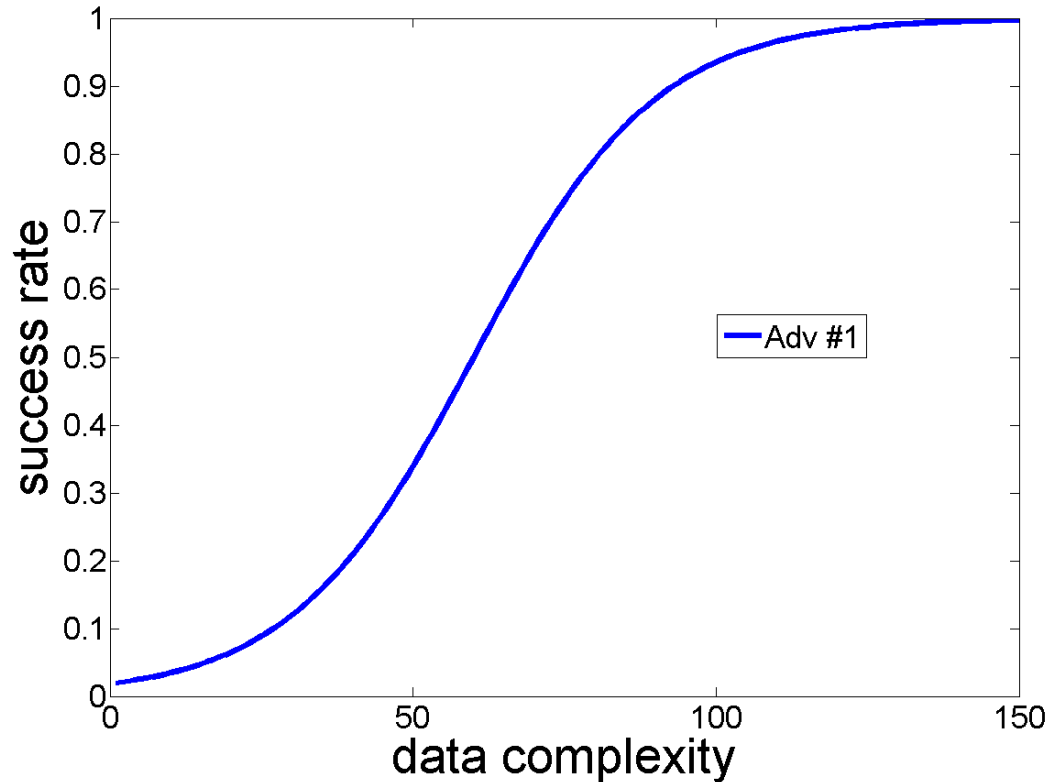


- First issue: no statistical confidence in evaluation

- Repeat the attack and estimate (e.g.) a success rate

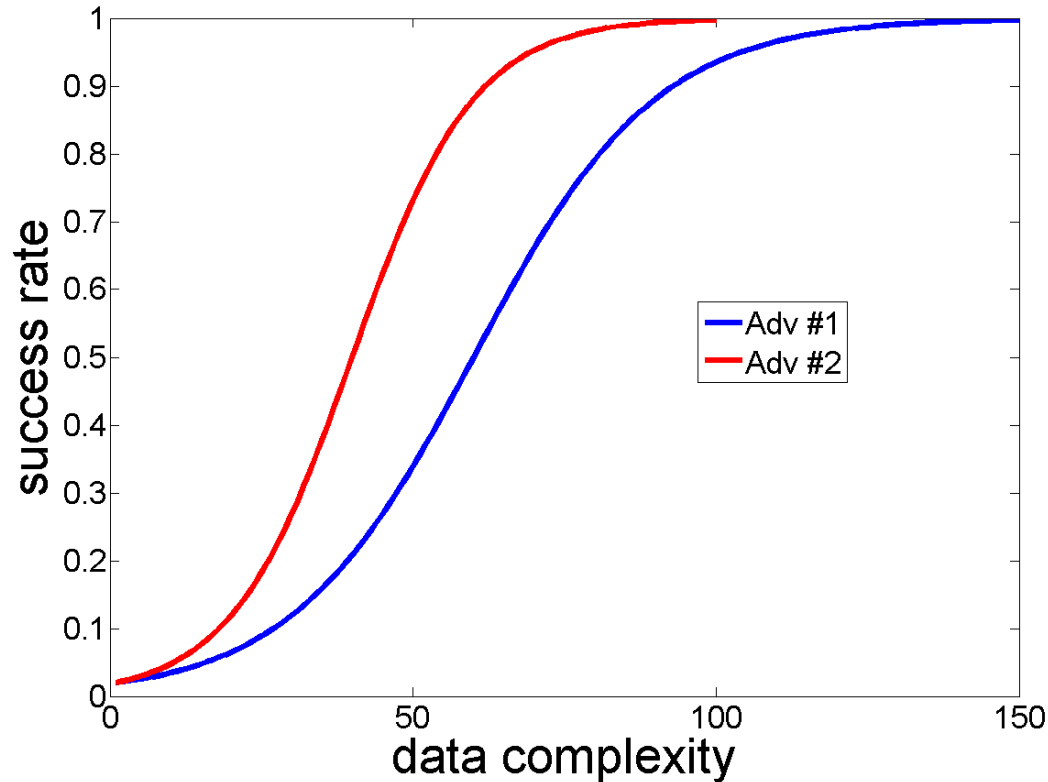


- Repeat the attack and estimate (e.g.) a success rate



- Second issue: arbitrary adversary (maybe suboptimal)

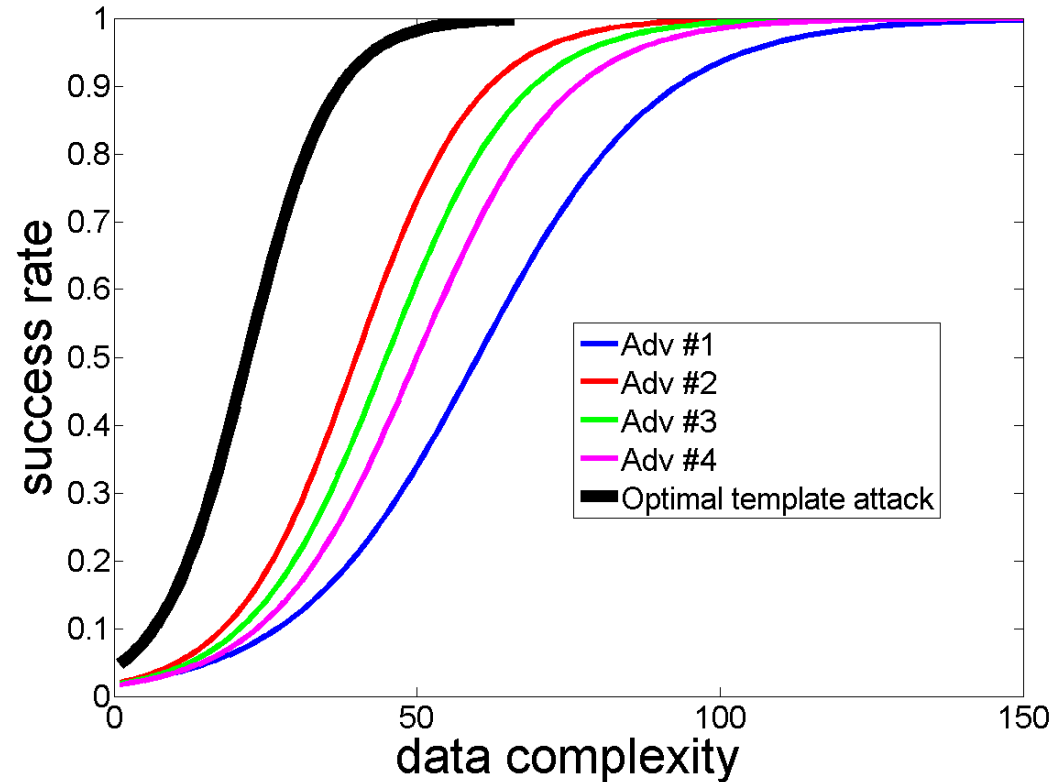
- Repeat the attack and estimate (e.g.) a success rate



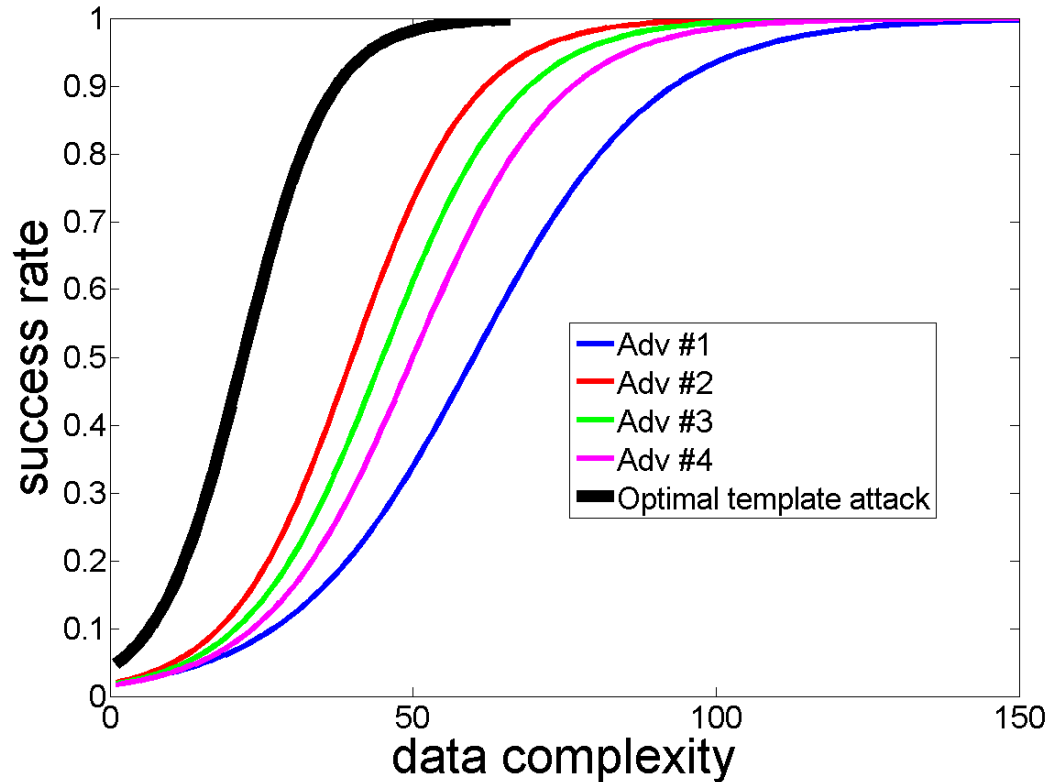
- A stronger adversary may invalidate the evaluation



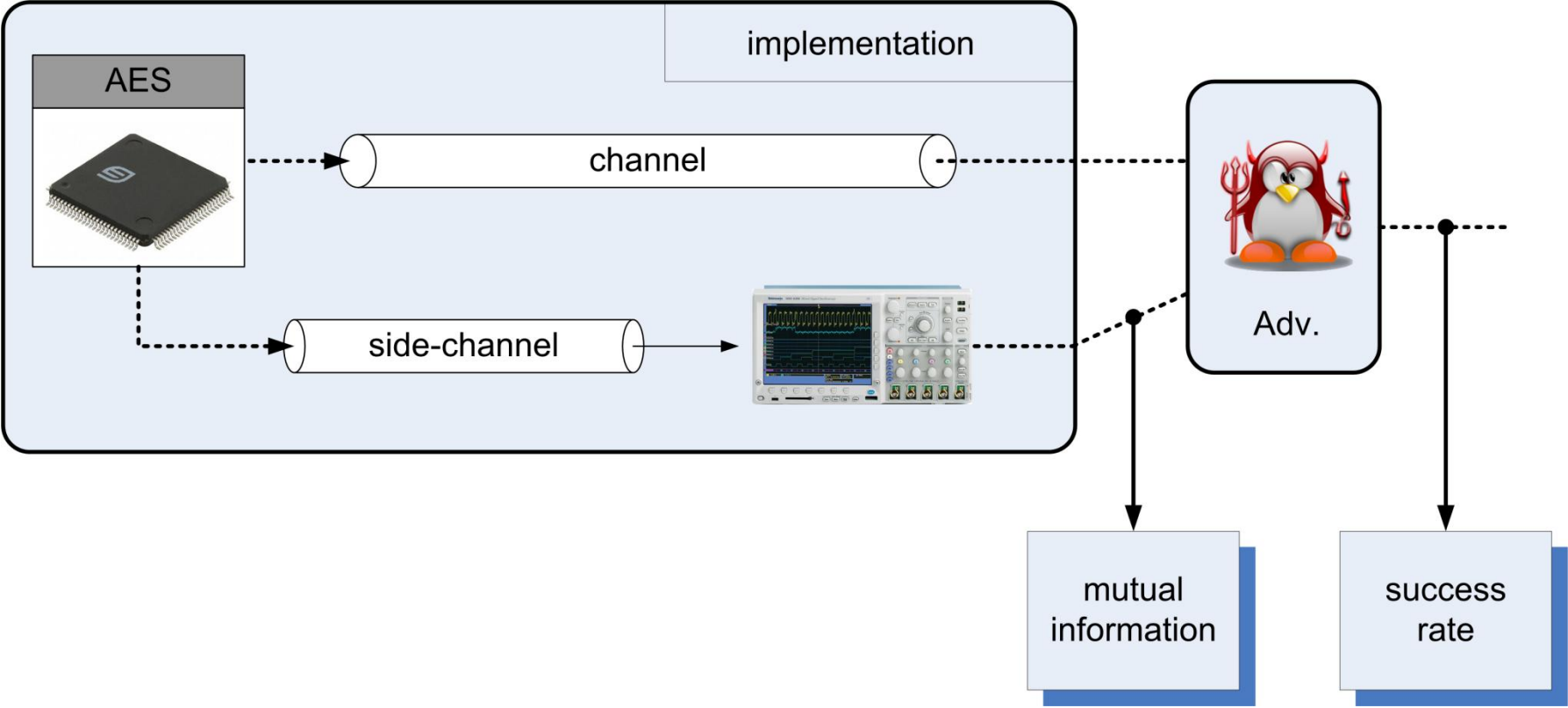
- Apply an “optimal” template attack

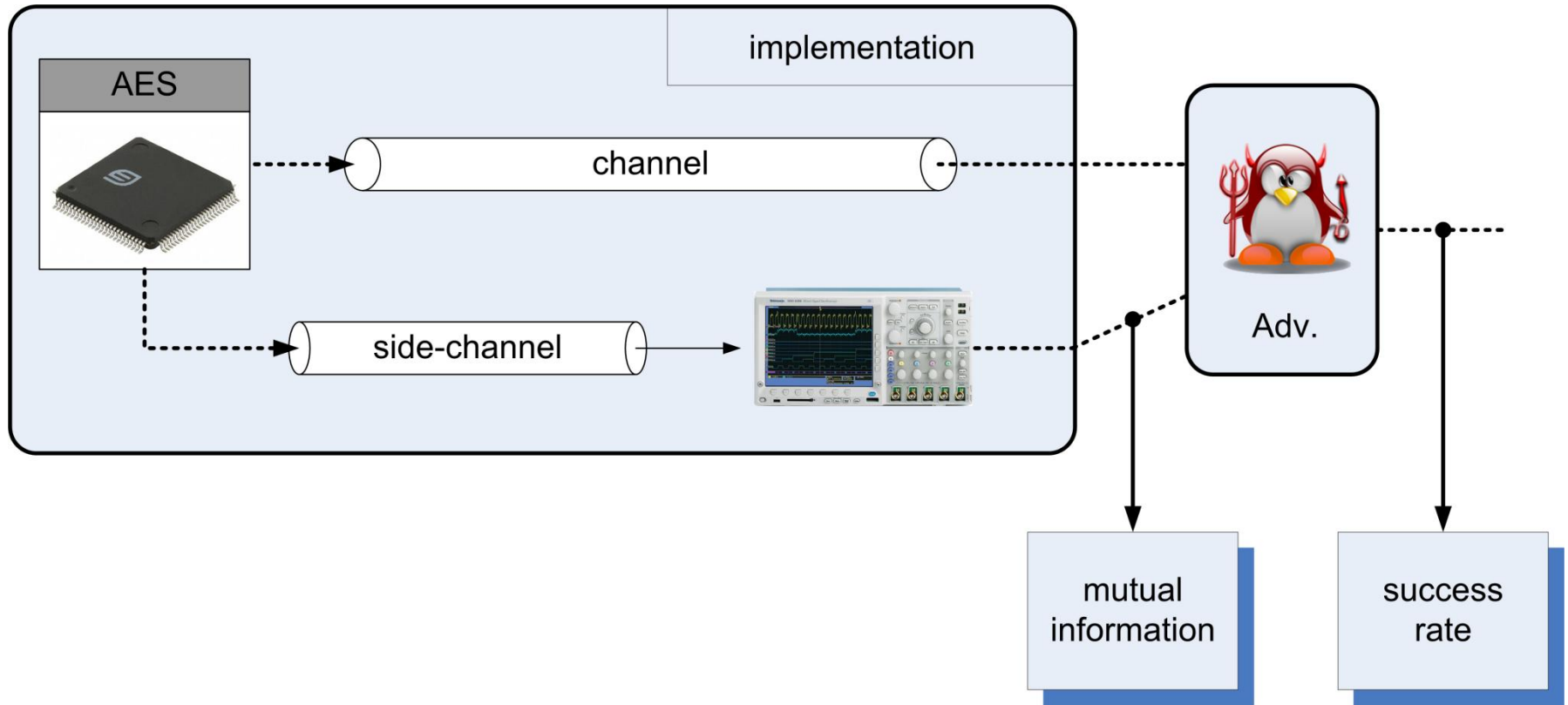


- Apply an “optimal” template attack



- Of course nobody know what is generally “optimal”!





- More generally: evaluate implementations with IT metrics, evaluate adversaries with security metrics

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  - i.e. an estimation of the leakage distribution

- Leakage certification is first concerned with IT metrics (i.e. aims at estimating the information leakage independent of the adversary)
- *But estimating the mutual information between arbitrary distributions is notoriously hard!*
- Good news: side-channel attacks need a model
  - i.e. an estimation of the leakage distribution
- Main idea: estimate the mutual information from the “best available” profiled model (i.e. worst case)



- Information leakage on the secret key

$$H[K] - \sum_k \Pr[k] \sum_l \Pr_{chip} [l|k] \cdot \log_2 \widehat{\Pr}_{model} [k|l]$$

- where  $\widehat{\Pr}_{model} [k|l]$  is obtained by profiling
- and  $\Pr_{chip} [l|k]$  is obtained by sampling

- *Step 1*: estimate the leakage model  $\widehat{\Pr}_{model} [k|l]$ 
  - e.g. with Gaussian templates, linear regression, Gaussian mixtures, Kernel density estimation, ...

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- **Note**: measurements to estimate the leakage model and the IT metric must be independent!

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$$\Rightarrow \frac{1}{N} \sum_{i=1}^N \log_2 p_{i1}$$

- Case #1 (ideal): perfect profiling phase
- i. e.  $\widehat{\Pr}_{model} [k|l] = \Pr_{chip} [l|k]$

$$\widehat{MI}(K;L) = H[K] - \sum_k \Pr[k] \sum_l \Pr_{chip} [l|k] \cdot \log_2 \Pr_{chip} [l|k]$$

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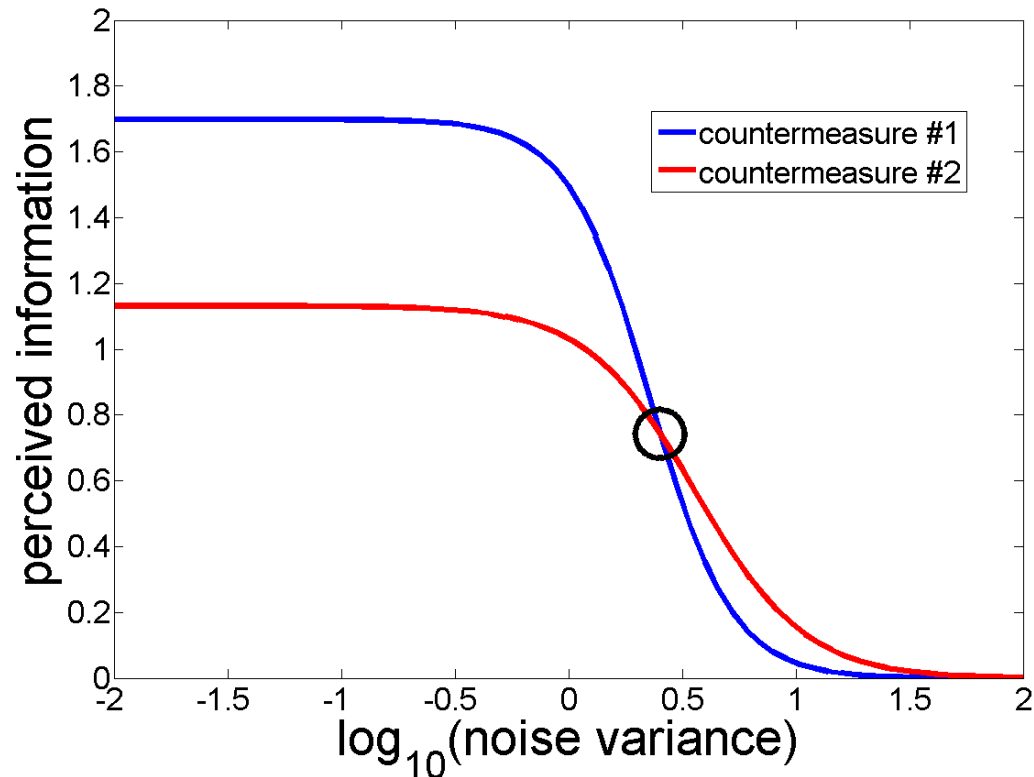
$$\widehat{\text{MI}}(K;L) = H[K] - \sum_k \text{Pr}[k] \sum_l \text{Pr}_{chip} [l|k] \cdot \log_2 \text{Pr}_{chip} [l|k]$$

- Case #2 (actual): bounded profiling phase
- i. e.  $\widehat{\text{Pr}}_{model} [k|l] \neq \text{Pr}_{chip} [l|k]$

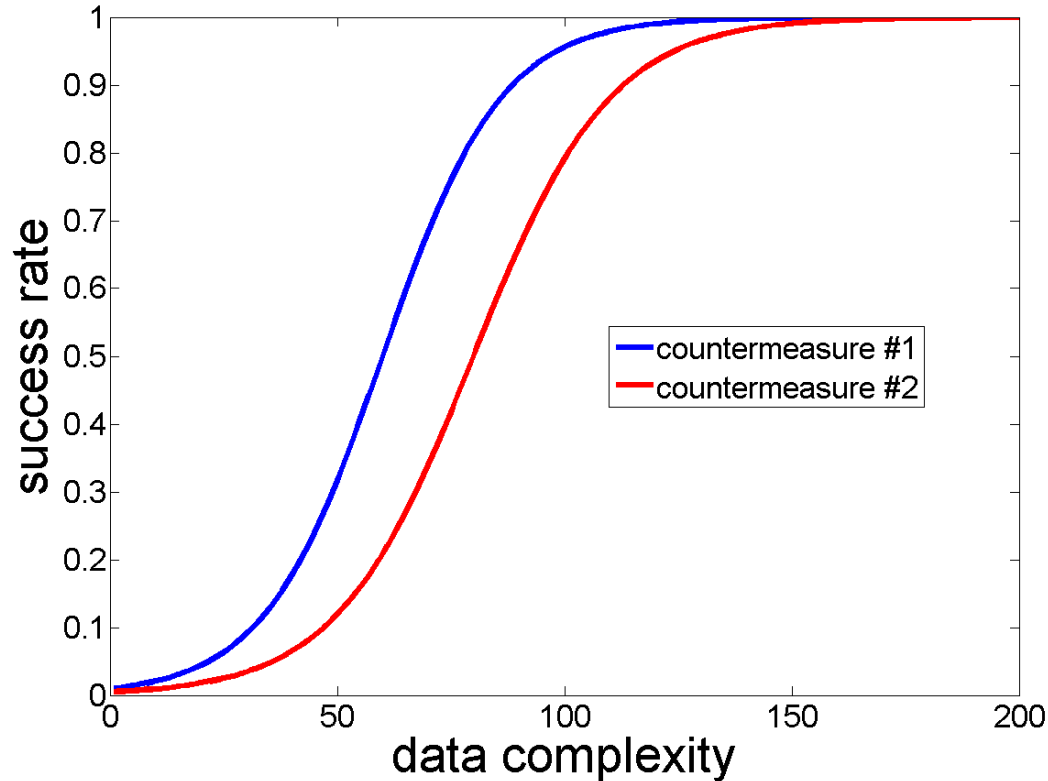
$$\widehat{\text{PI}}(K;L) = H[K] - \sum_k \text{Pr}[k] \sum_l \text{Pr}_{chip} [l|k] \cdot \log_2 \widehat{\text{Pr}}_{model} [k|l]$$

- $PI(K;L)$  is directly proportional to the success rate of an adversary using  $\widehat{\Pr}_{model} [k|l]$  as template

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- e.g.  $PI(K;L)$  in function of the noise variance



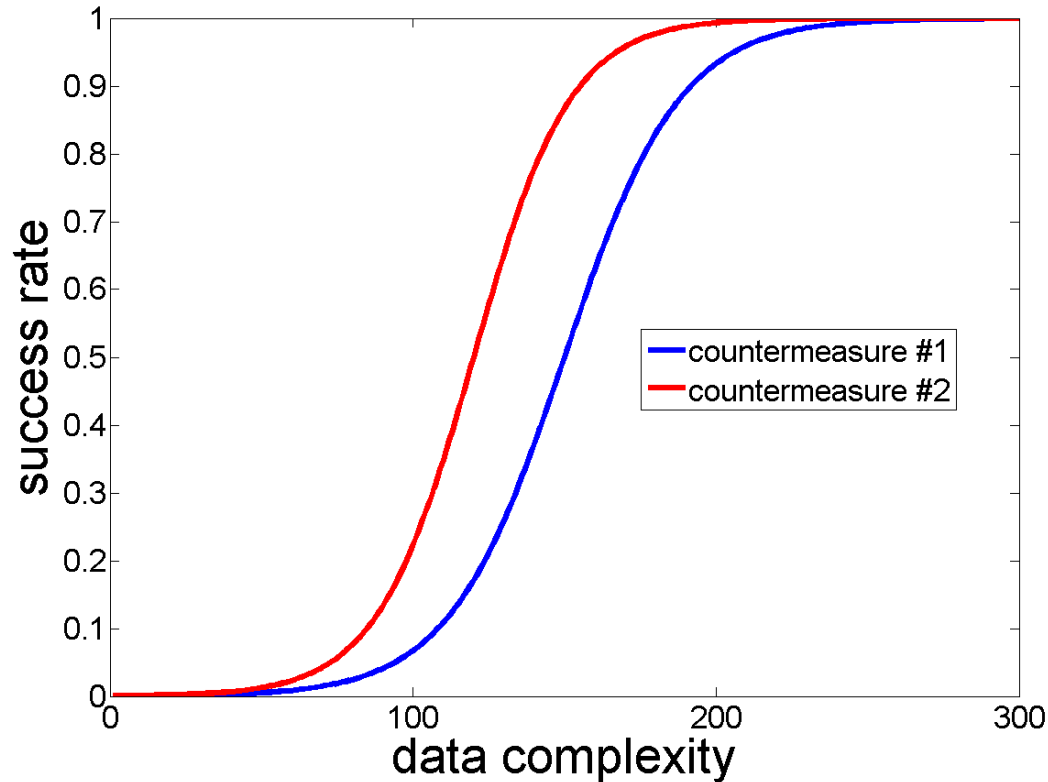
- Left of the intersection



- Countermeasure #2 more secure than first one

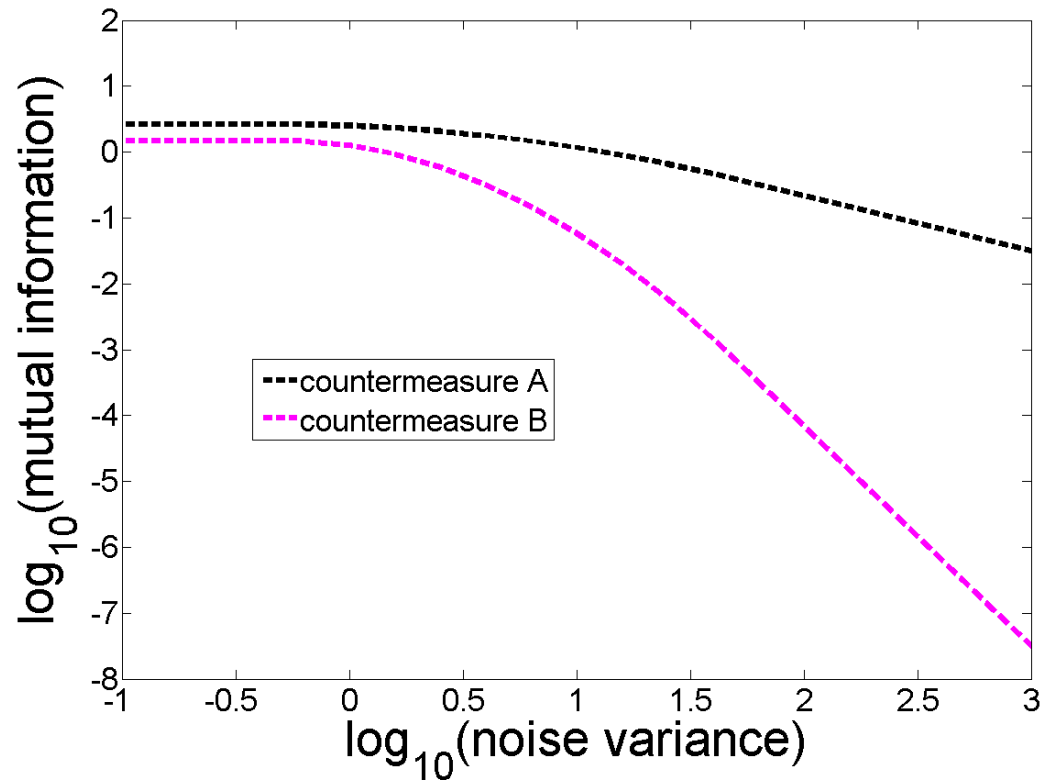


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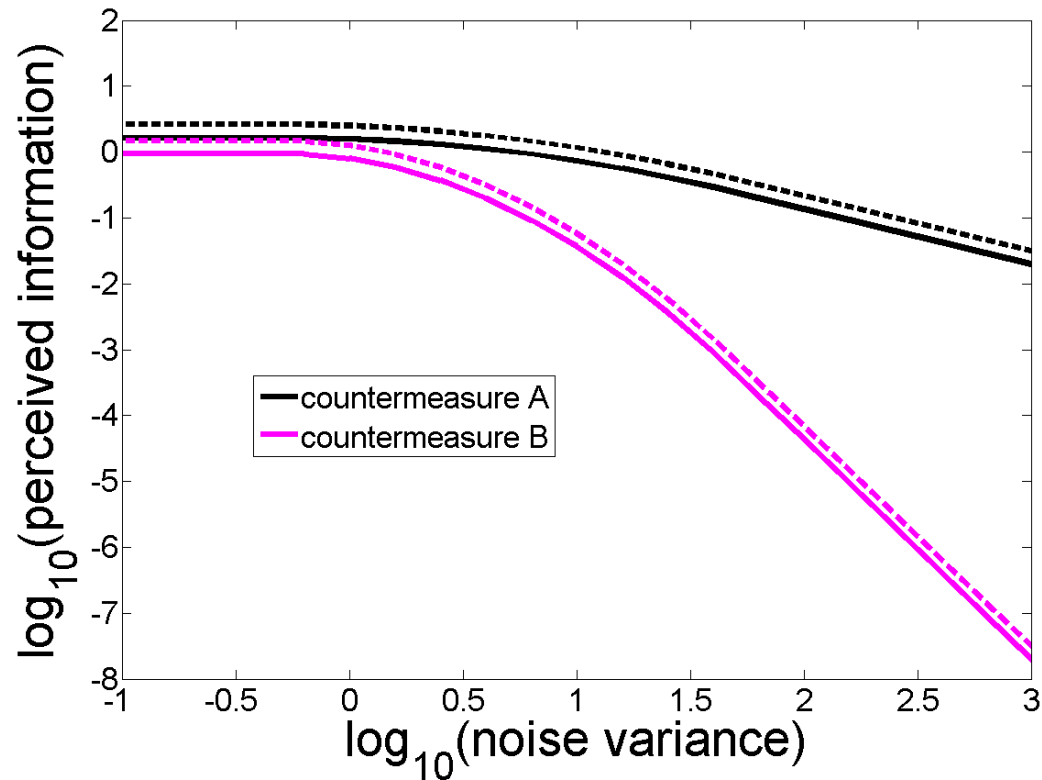


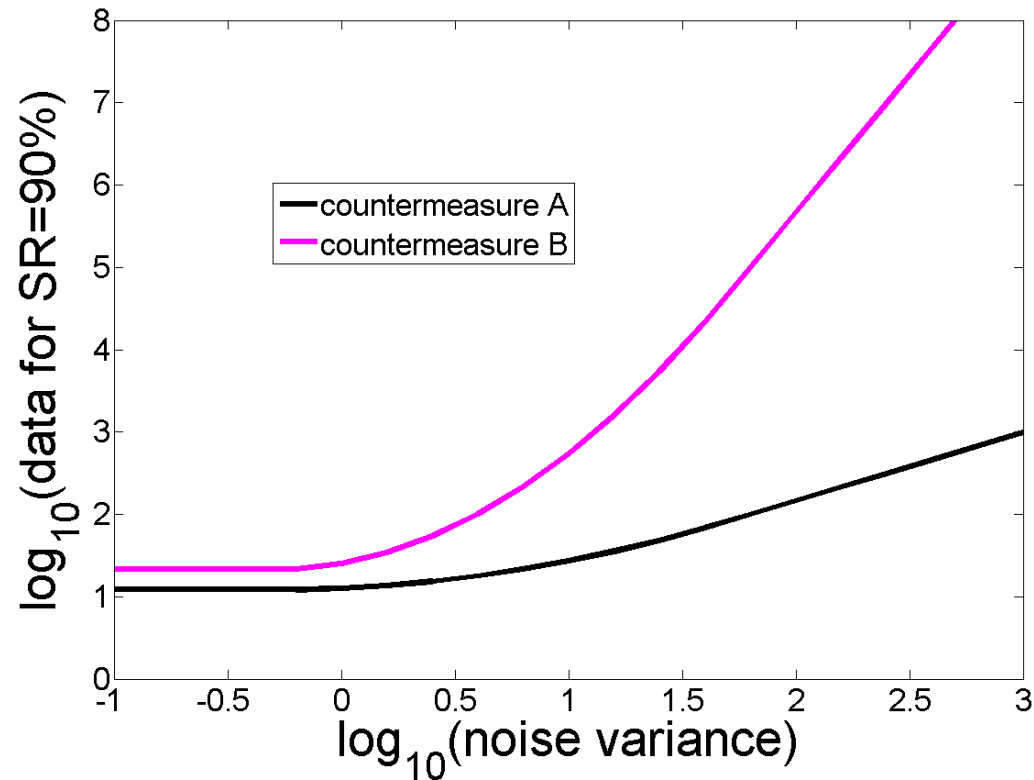
- Countermeasure #1 more secure than second one

- $MI(K;L)$  measures the worst case data complexity



- $PI(K;L)$  is the evaluator's best estimate

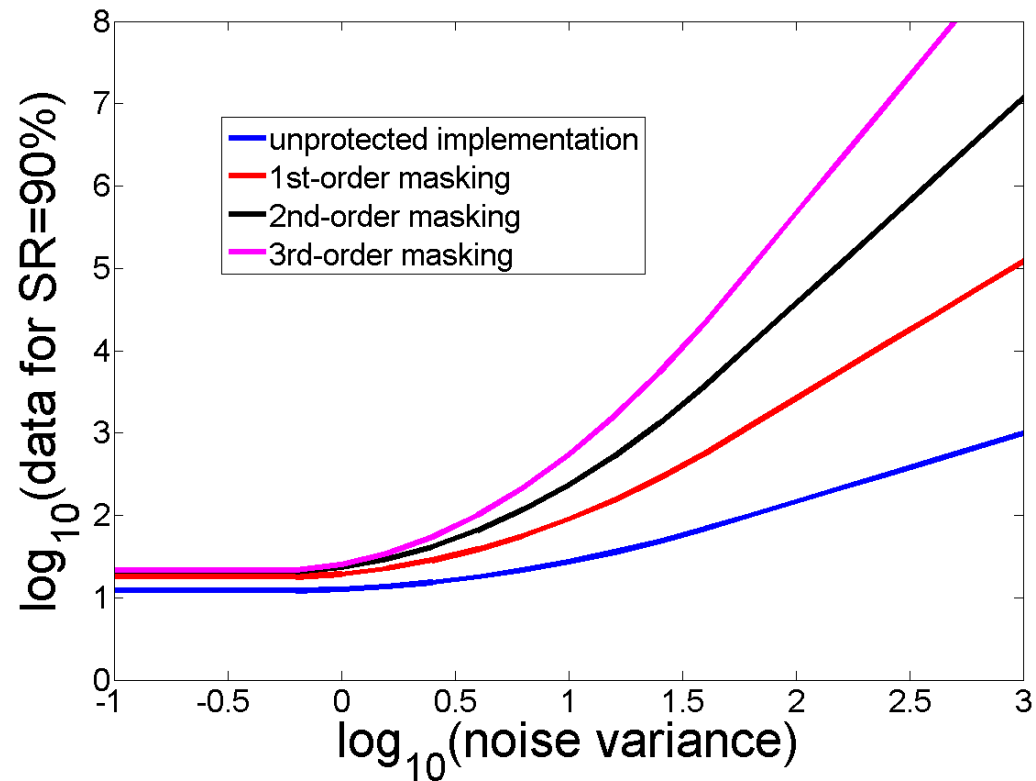




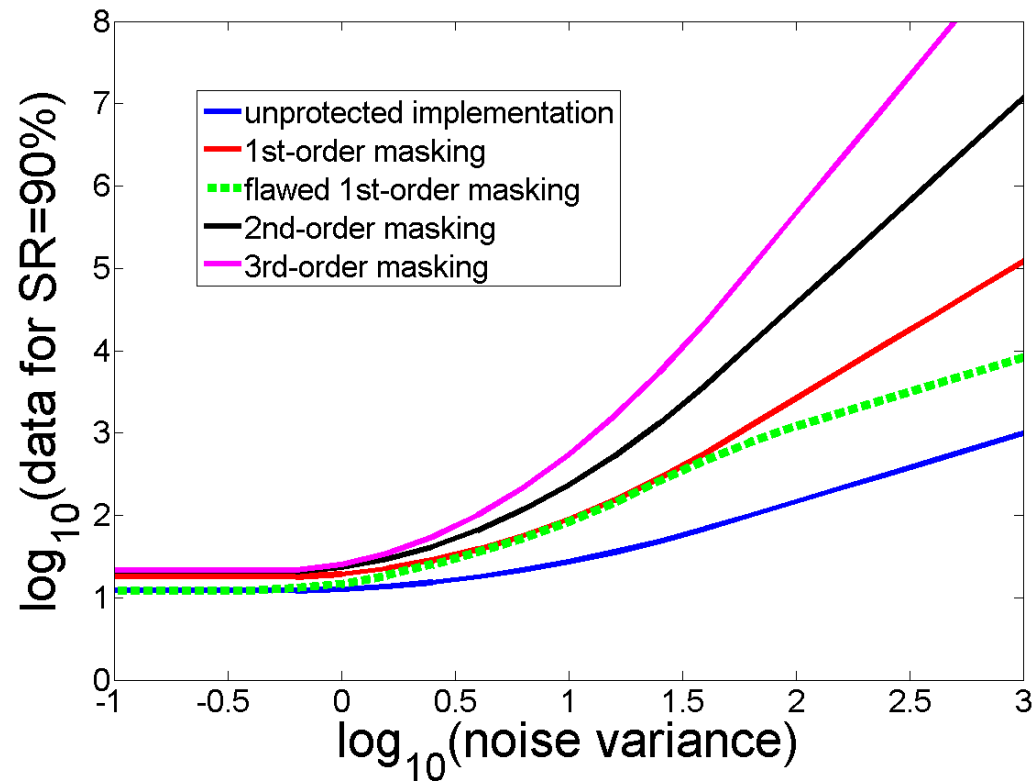
- Theorem only proven in very specific cases
- But holds surprisingly well in real-world settings

- Main idea: split the sensitive data in  $r$  shares

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- If “perfect” implementation, the data complexity to break masking is proportional to  $(\sigma_n^2)^r$ 
  - Perfect  $\approx$  if the smallest-order key-dependent moment in the leakage distribution is  $r$
  - Essentially depends on the hardware (e.g. glitches may make the implementation imperfect)



- Smallest-order key-dept. moment = curve slope



- Flaws due to physical defaults can be detected



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  - Critical point: PDF estimation problem
- Tools are highly dependent on the contexts
  - So is the distance between MI and PI (and hence, the relevance of security evaluations)
- A few examples next...

	profiled attacks	non-profiled attacks
unprotected device, univariate leakage		
unprotected device, multivariate leakage		
dual-rail pre-charged implementation		
time randomizations		
masking		
combination of countermeasures		

- Different implementations and countermeasures
- Which cases are “easy to evaluate”?

	profiled attacks	non-profiled attacks
unprotected device, univariate leakage		
unprotected device, multivariate leakage		
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- Most distinguishers are asymptotically equivalent [4]
- ... if provided with the same leakage model

	profiled attacks	non-profiled attacks
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- PCA, LDA, ... useful in the profiled case [5]
- Dimension reduction uneasy in non-profiled case

	profiled attacks	non-profiled attacks
unprotected device, univariate leakage		
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- Same tools as for unprotected devices work well
- Non-linear leakage functions require profiling [6]

	profiled attacks	non-profiled attacks
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- Uneasy to evaluate for both type of attacks
- Signal proc. can cancel countermeasures [7,8]



	profiled attacks	non-profiled attacks
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- Becomes measurement intensive as  $r$  increases
- No solution is always optimal in non-profiled case

	profiled attacks	non-profiled attacks
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- Specially hard if the design is unknown
- Large distance btw. profiled & non-profiled cases

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- IT curves capture most intuition regarding the data complexity of worst case side-channel attacks

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- IT curves capture most intuition regarding the data complexity of worst case side-channel attacks
- Evaluator's goal: avoid "false sense of security"
  - $PI(K;L) \neq MI(K;L)$
  - Significant differences may arise due to signal processing, bad assumptions on the leakage, ...
  - Measurement setup also matters!

# Outline

- The Eurocrypt 2009 framework revisited
- **New results towards information leakage bounds**
- Security analyzes and time complexity

- What is the distance between the MI and the PI?
- (i.e. how good is my leakage model?)

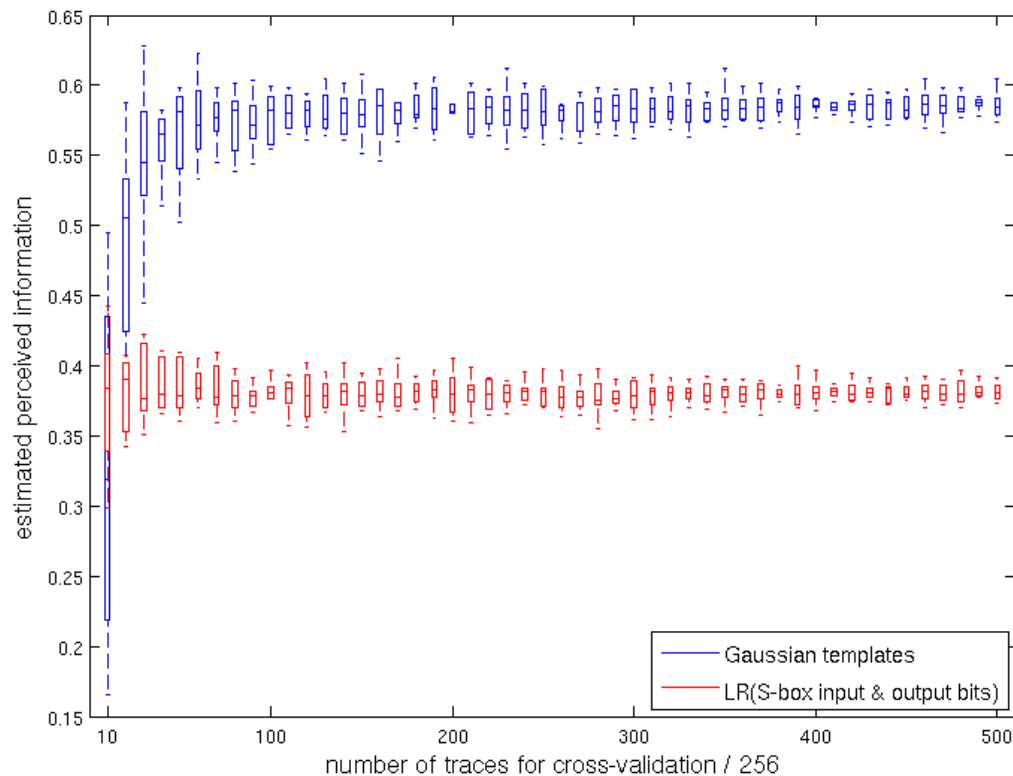
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- (i.e. how good is my leakage model?)
  
- Difficult since the leakage function is unknown  
=> Impossible to compute this distance directly!
  
- Next: we show that indirect approaches allow answering the question quite rigorously
  
- Main idea: quantify *estimation & assumption* errors

- Split traces in 10 (non-overlapping) sets, use 9/10<sup>th</sup> for profiling, 1/10<sup>th</sup> for estimating the PI
- Repeat 10 times to get average & spread



## 2. Assumption errors => distance sampling 21

- Fact: two multidimensional distributions  $\mathcal{F}$  and  $\mathcal{G}$  are equal if the variables  $X \sim \mathcal{F}$  and  $Y \sim \mathcal{G}$  generate identical distributions for the distance  $D(X, Y)$

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$$f_{sim}(d) = \Pr[L_1 - L_2 \leq d \mid L_1, L_2 \sim \widehat{\Pr}_{model}]$$

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- And the sampled distance

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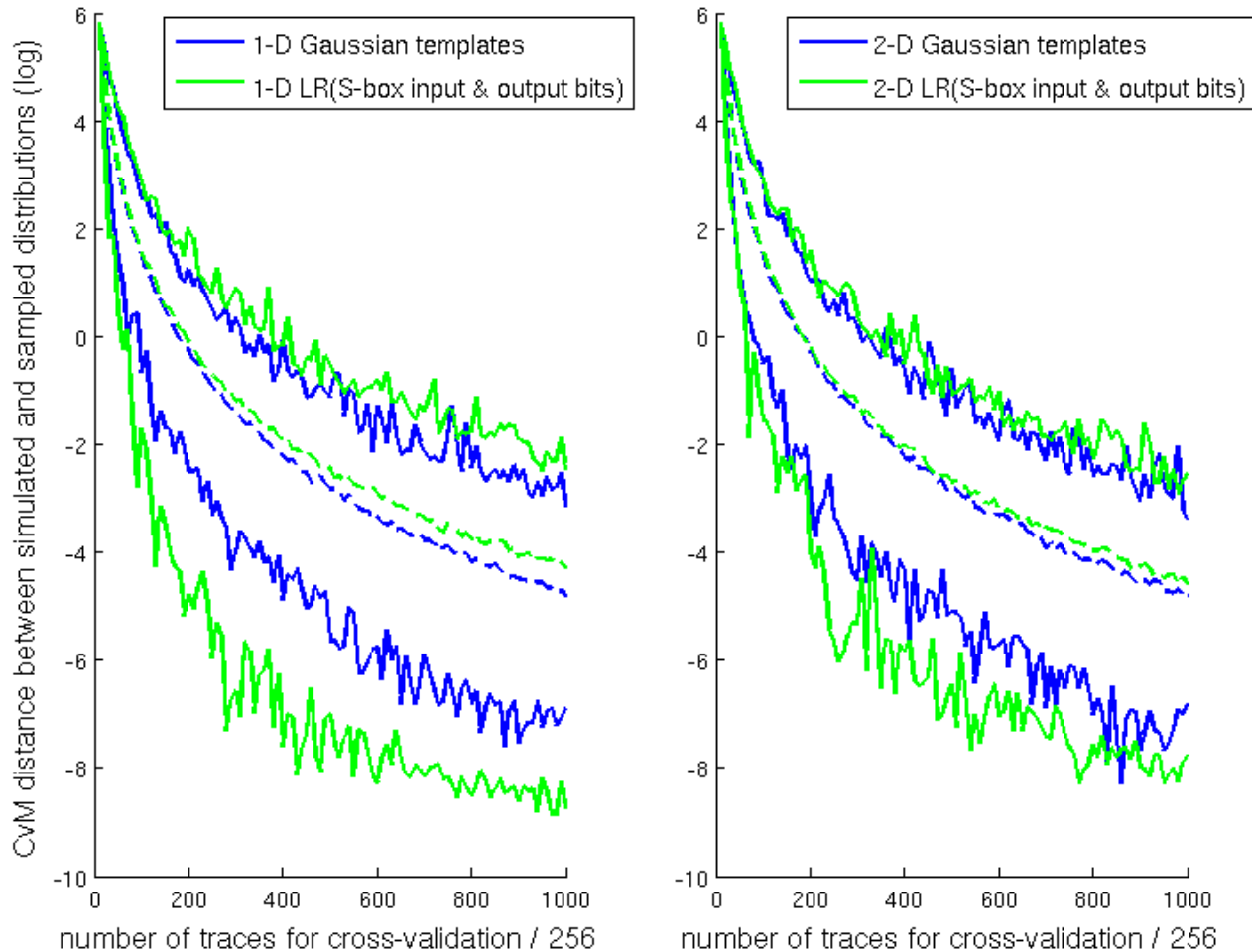
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- And test their CvM divergence

$$\widehat{\text{CvM}}(f_{sim}, \hat{g}_N) = \int [f_{sim}(x) - \hat{g}_N(x)]^2 dx$$



- Any incorrect assumption  $\Rightarrow$  CvM saturates

- Estimation errors can be made arbitrarily small by measuring => assumption errors more damaging



- Estimation errors can be made arbitrarily small by measuring => assumption errors more damaging
- Idea: try to detect when (i.e. for which # of traces in the cross-validation set) assumption errors become significant in front of estimation ones

- Compute a sampled simulated distance

$$\hat{f}_{sim,N}(d) = \Pr[l_1 - l_2 \leq d \mid l_1, l_2 \stackrel{N}{\leftarrow} \widehat{\Pr}_{model}]$$

- Compute a sampled simulated distance

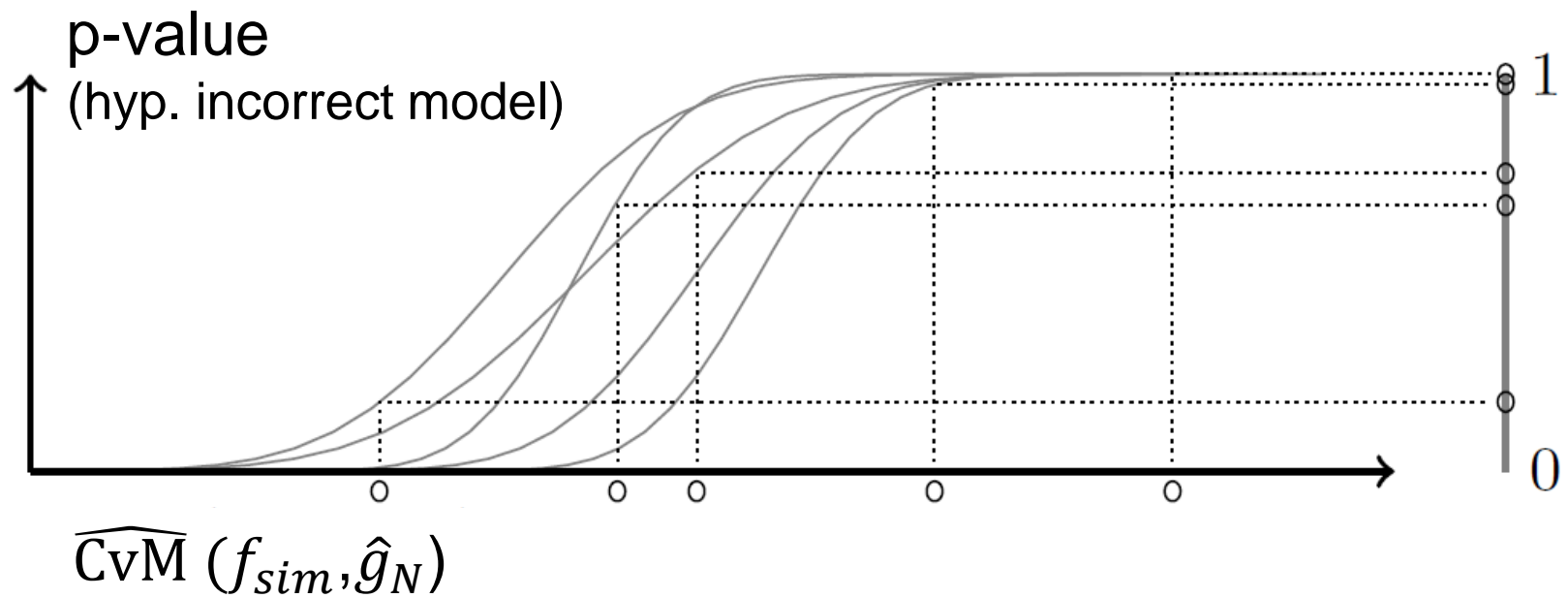
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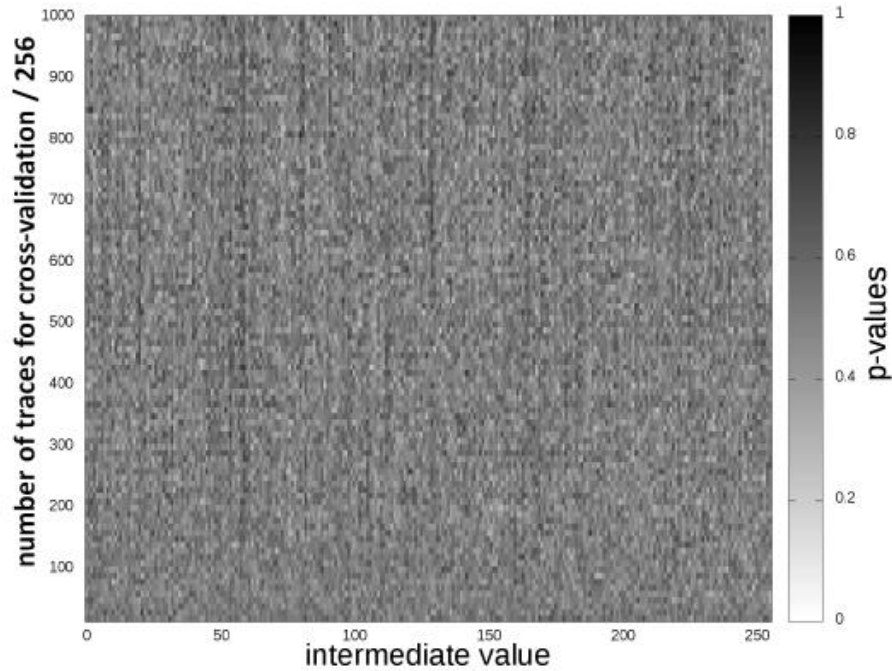
- Characterize the probability that a given divergence between  $f_{sim}$  and  $\hat{f}_{sim,N}$  would be observed for a given number of traces  $N$

- Compute a sampled simulated distance

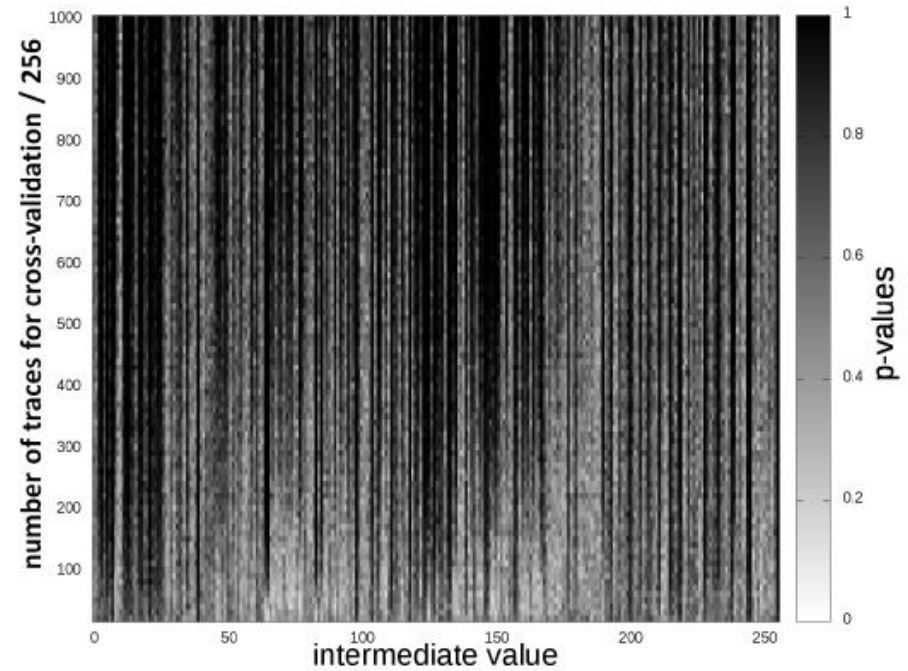
$$\hat{f}_{sim,N}(d) = \Pr[l_1 - l_2 \leq d \mid l_1, l_2 \stackrel{N}{\leftarrow} \widehat{\Pr}_{model}]$$

- Characterize the probability that a given divergence between  $f_{sim}$  and  $\hat{f}_{sim,N}$  would be observed for a given number of traces  $N$
- Look whether a given divergence between  $f_{sim}$  and  $\hat{g}_N$  (the latter obtained during cross-validation again) can be due to estimation errors





Gaussian templates

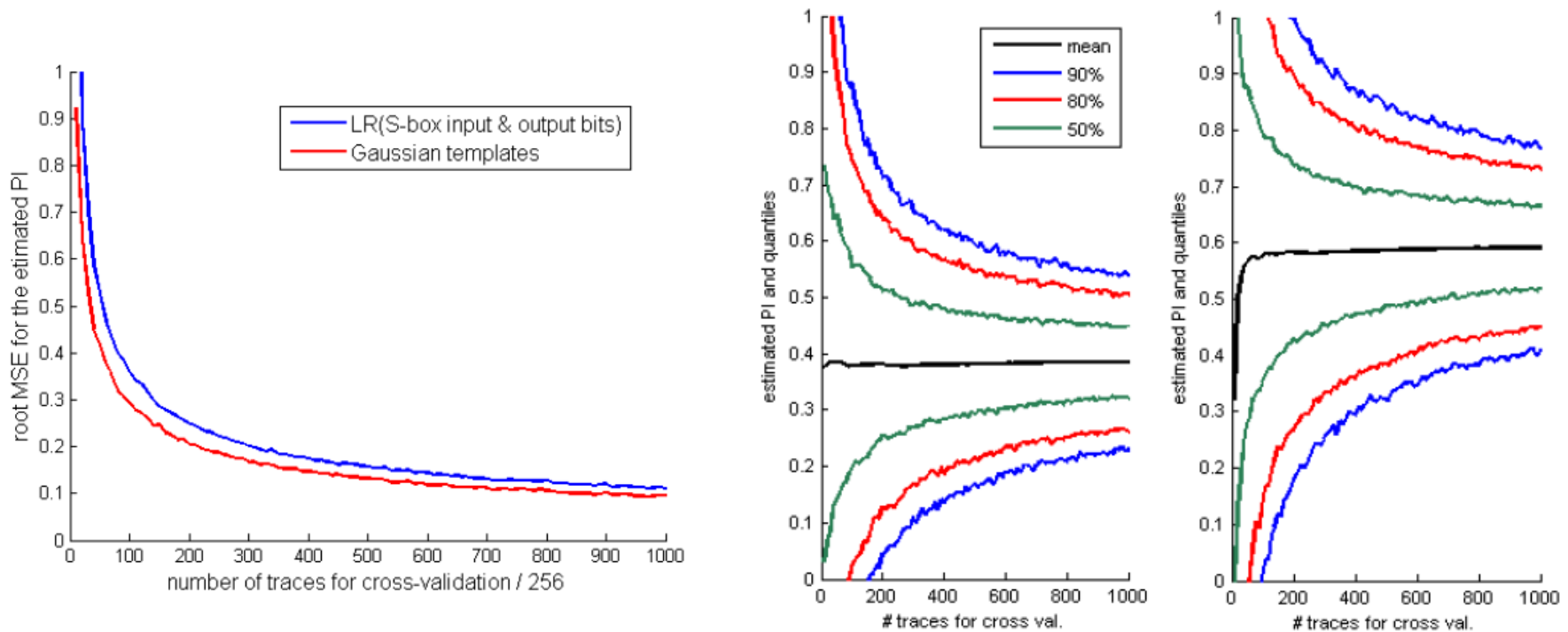


Stochastic model

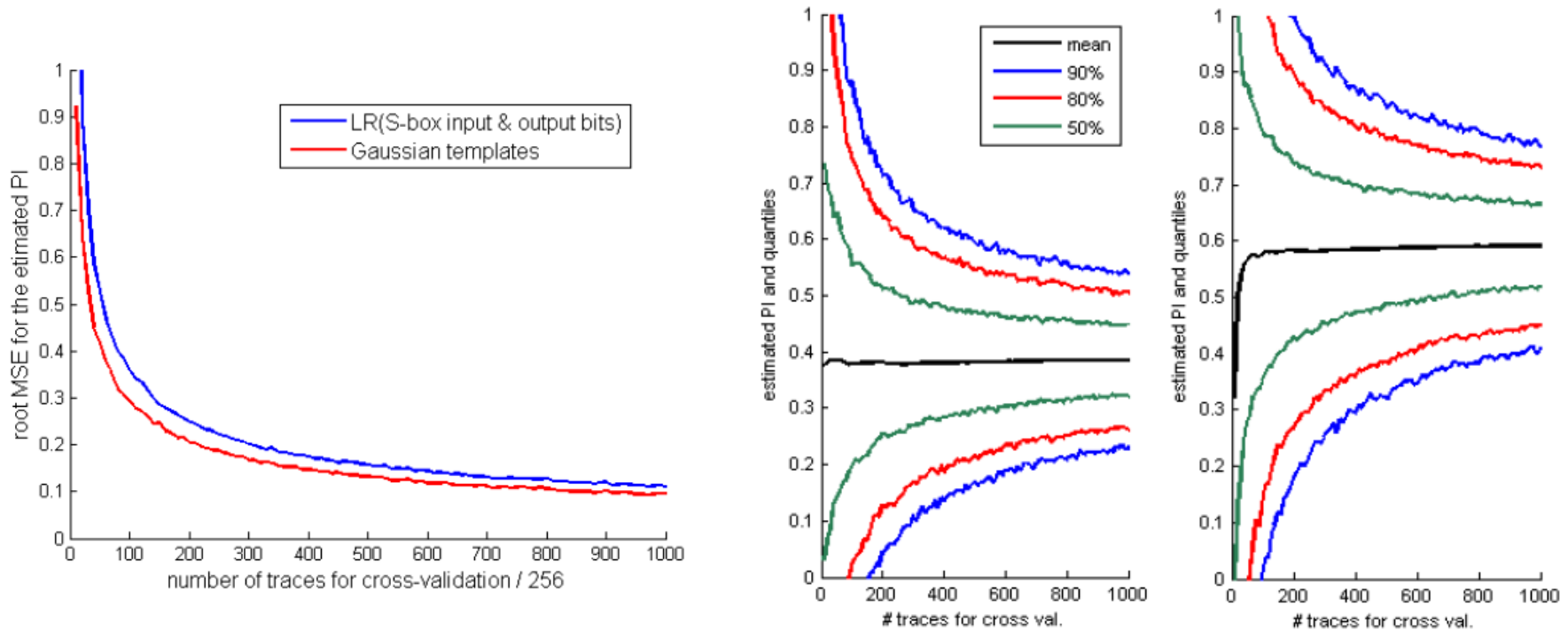
- Assume estimation errors are “small enough”
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- Conjecture: For  $N$  such that the assumption errors are “not significant” in front of estimation errors, we can “bound” the information loss by quantifying the estimation error
  - (i.e. assumption errors that are detected for smaller  $N$ 's are inevitably larger)

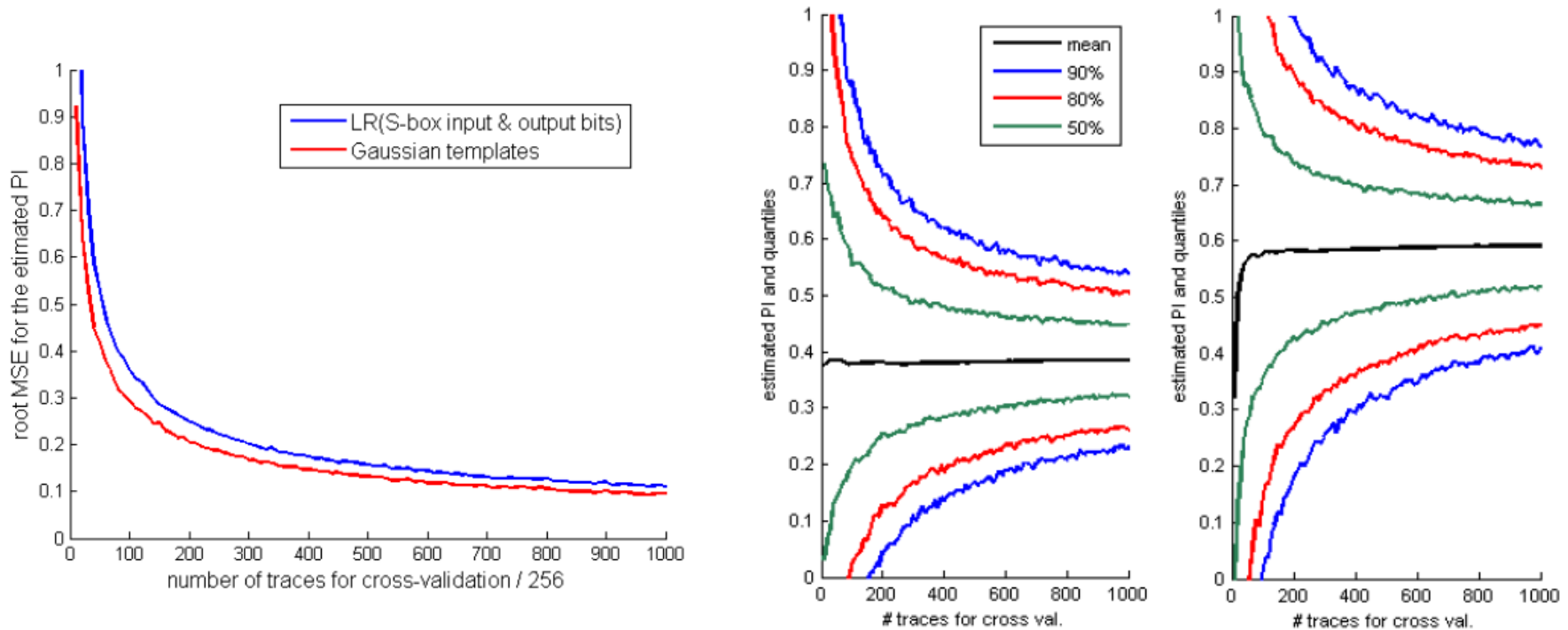




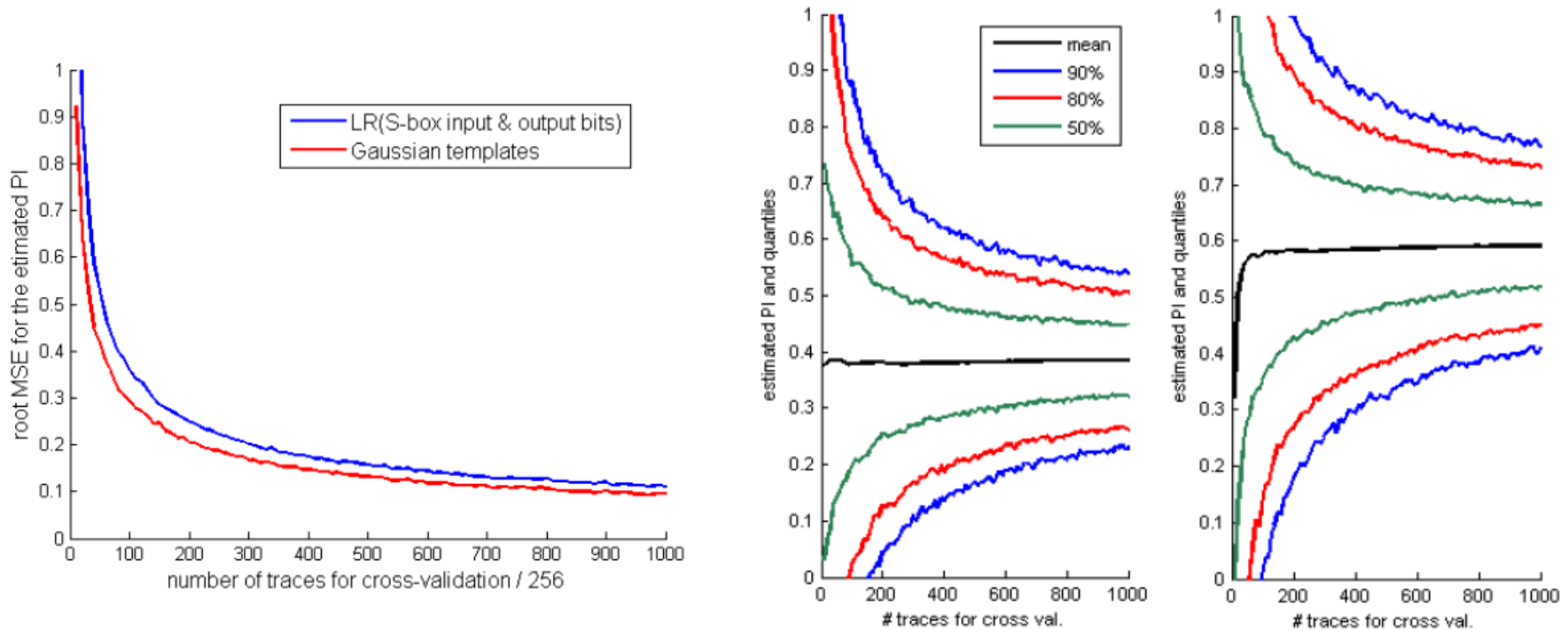
- Identified template attack with  $PI = 0.58$



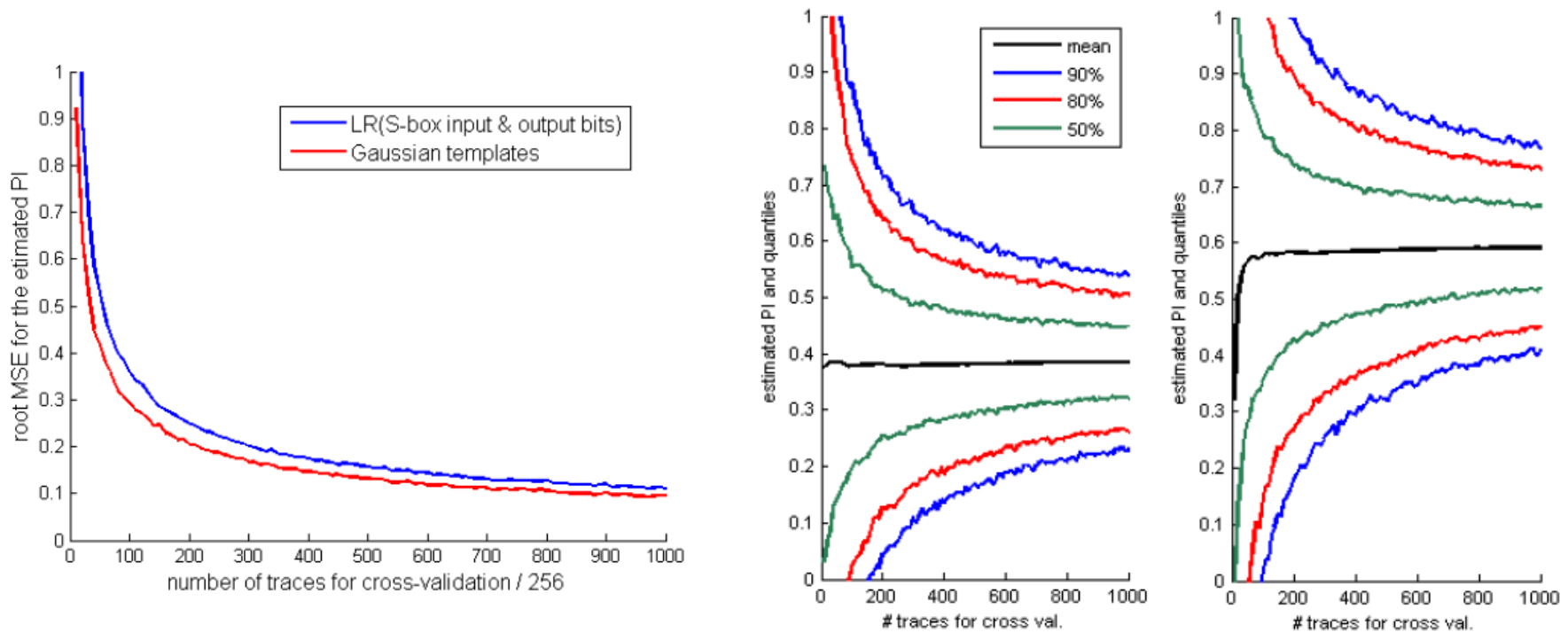
- Identified template attack with  $PI = 0.58$
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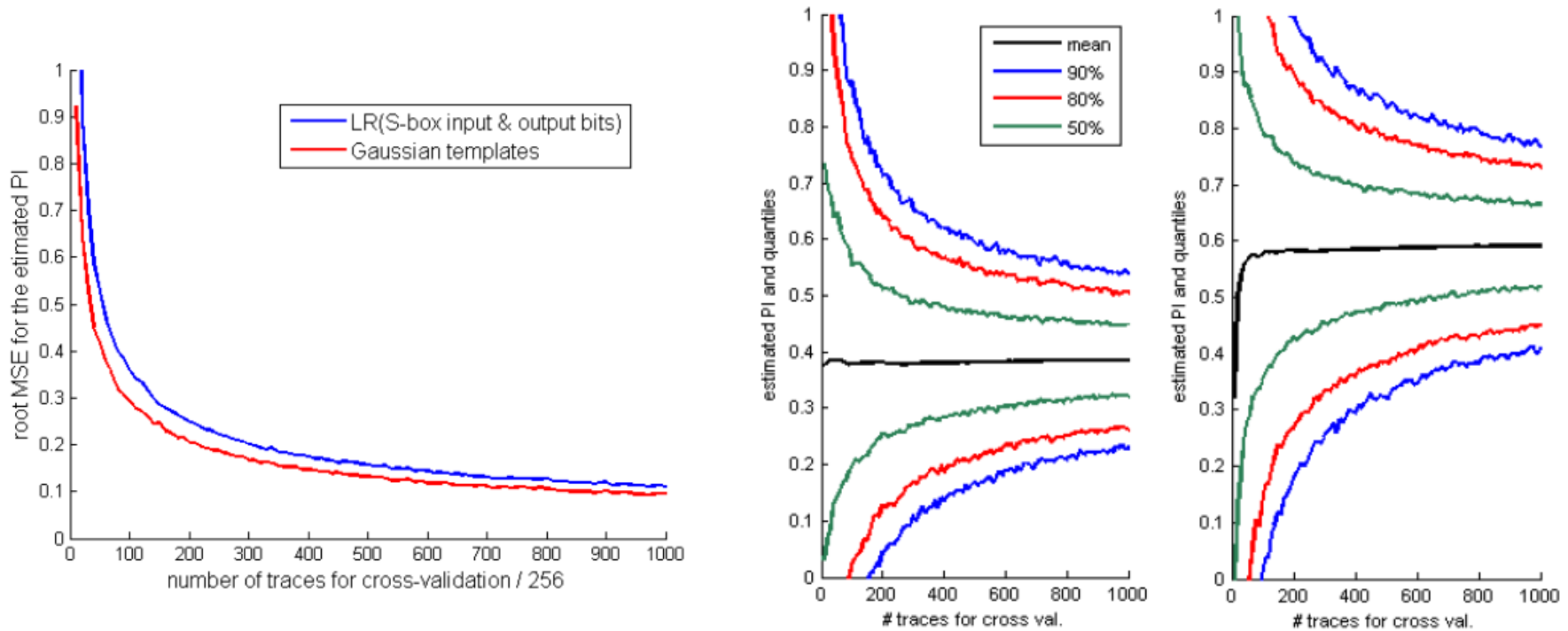
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- Estimation error  $\sim 0.11$  at this point



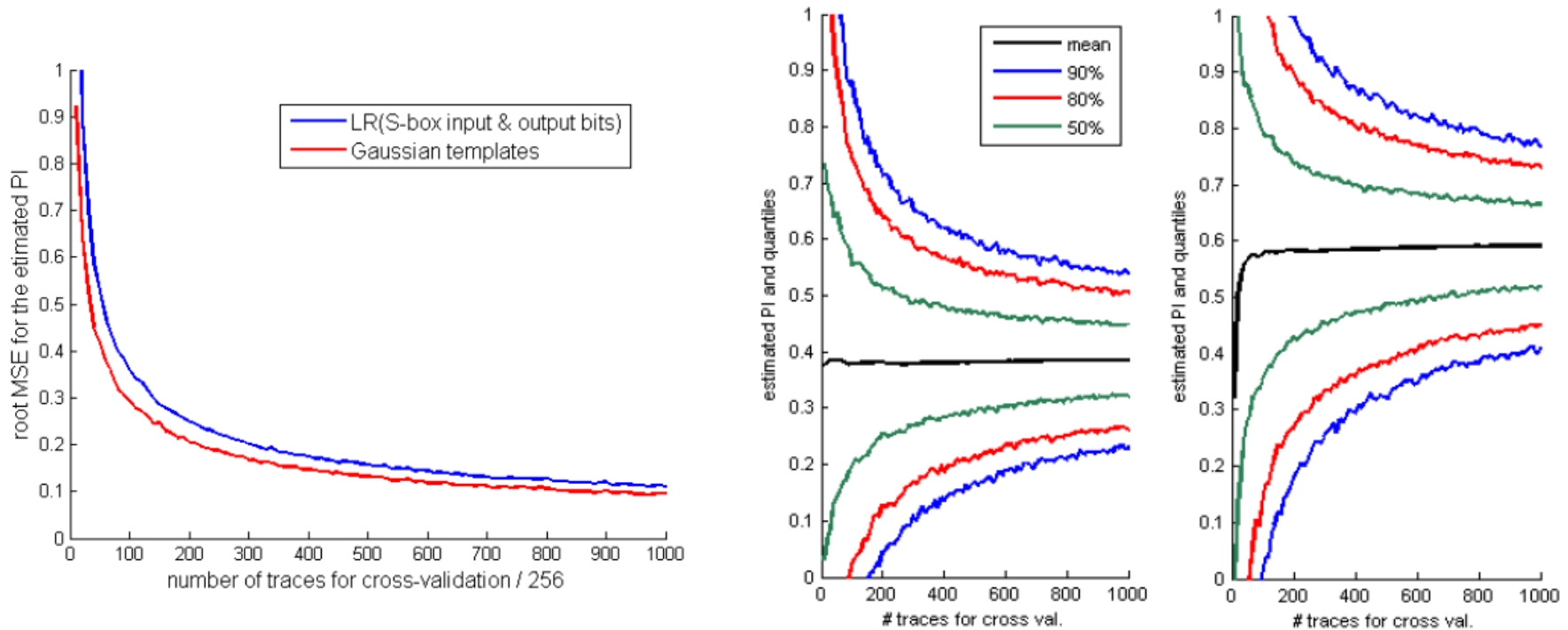
- Identified template attack with  $PI = 0.58$
  - No assumption errors for  $N=1000$
  - Estimation error  $\sim 0.11$  at this point
- $\Rightarrow$  With “low” confidence, no attack exist with  $PI > 0.69$
- $\Rightarrow$  With “high” confidence, no attack exist with  $PI > 0.80$



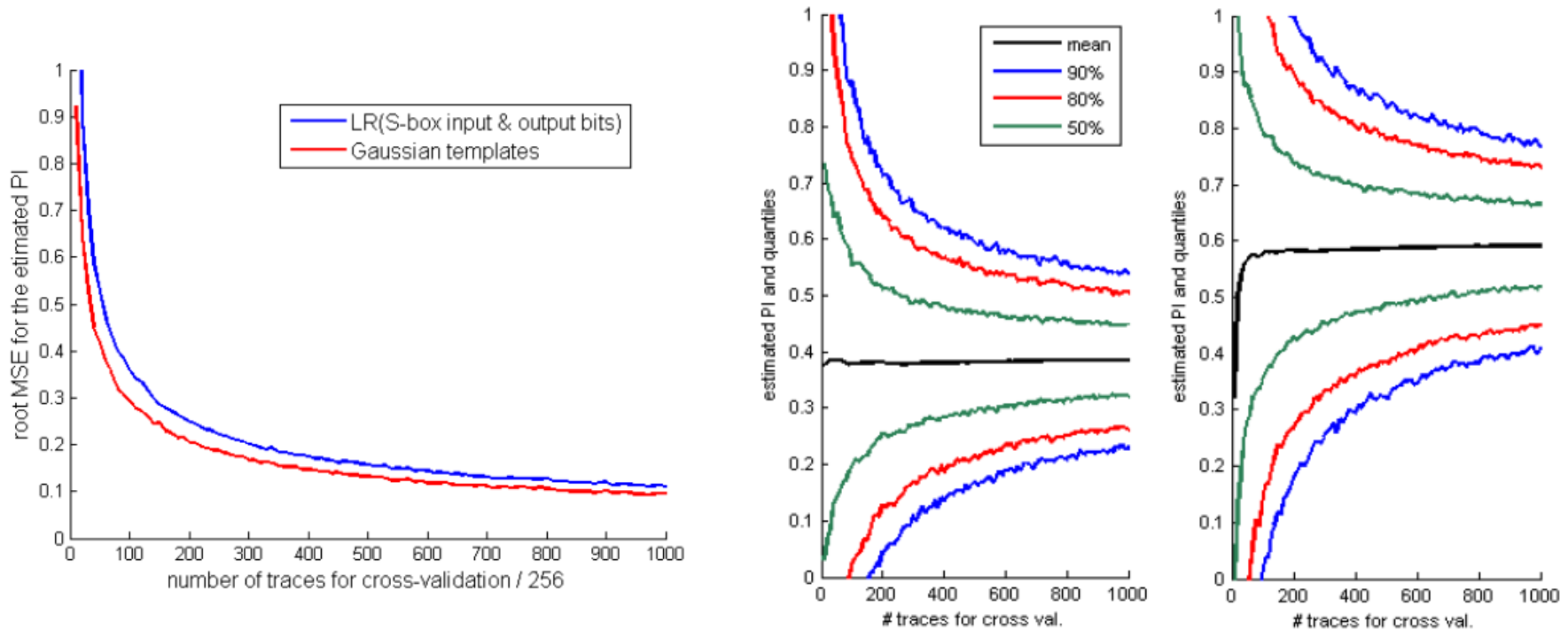
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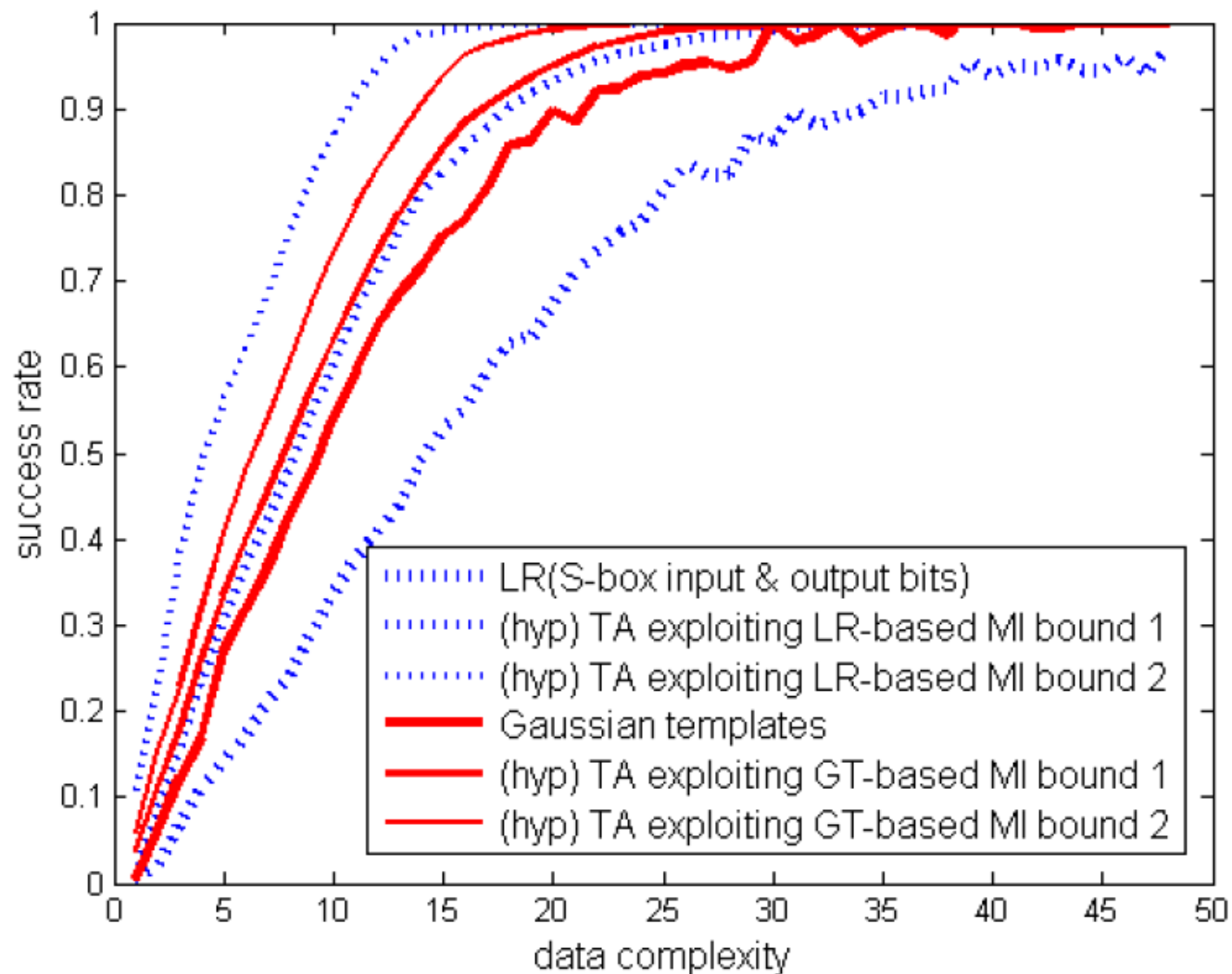


- Identified stochastic attack with  $PI = 0.38$
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- Identified stochastic attack with  $PI = 0.38$
  - Assumption errors for  $N=100$
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- $\Rightarrow$  With “low” confidence, no attack exist with  $PI > 0.67$
- $\Rightarrow$  With “high” confidence, no attack exist with  $PI > 0.96$





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- ... but just as the PI  $\Leftrightarrow$  success rate connection
- What can go wrong?
  - Heuristic optimization-based PDF estimation
    - (but seems OK with Gaussian templates and regression-based stochastic models)
  - Very low noise levels (non-Gaussian PI estimates)
    - (but corresponds to less relevant scenarios)

- No! (in fact there exist counterexamples)
- ... but just as the PI  $\Leftrightarrow$  success rate connection
- What can go wrong?
  - Heuristic optimization-based PDF estimation
    - (but seems OK with Gaussian templates and regression-based stochastic models)
  - Very low noise levels (non-Gaussian PI estimates)
    - (but corresponds to less relevant scenarios)
- **Good news: can be tested in simulations (since we know the true MI values in these cases!)**

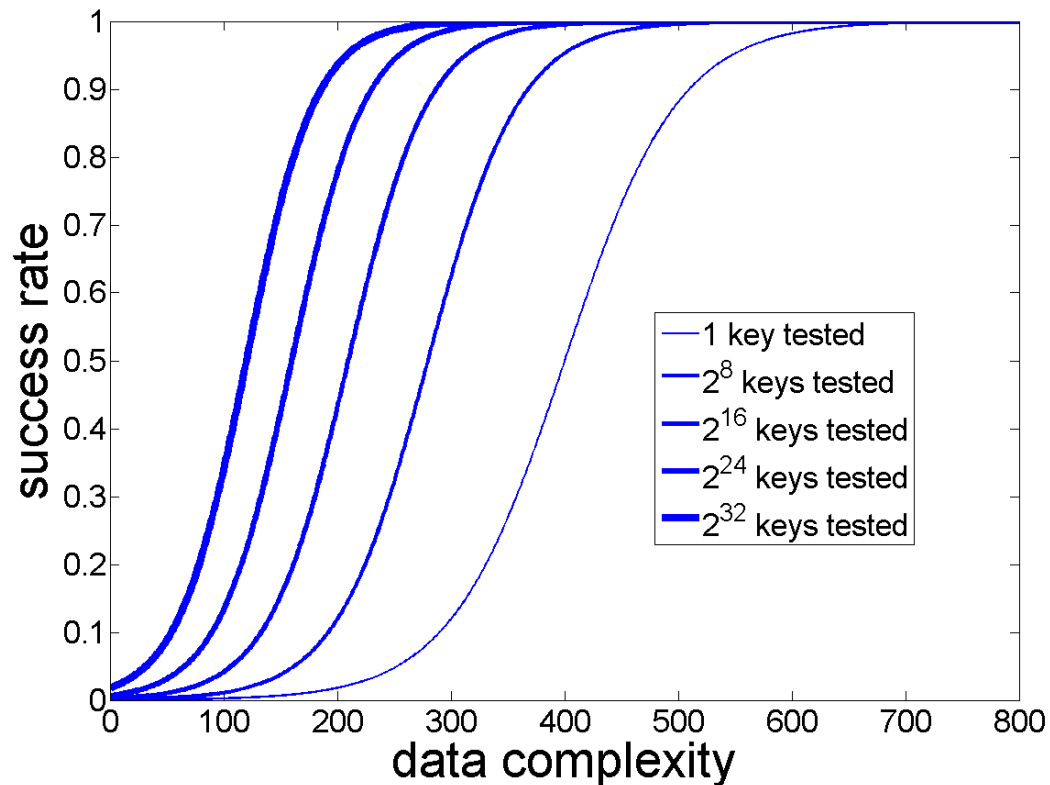
# Outline

- The Eurocrypt 2009 framework revisited
- New results towards information leakage bounds
- Security analyzes and time complexity

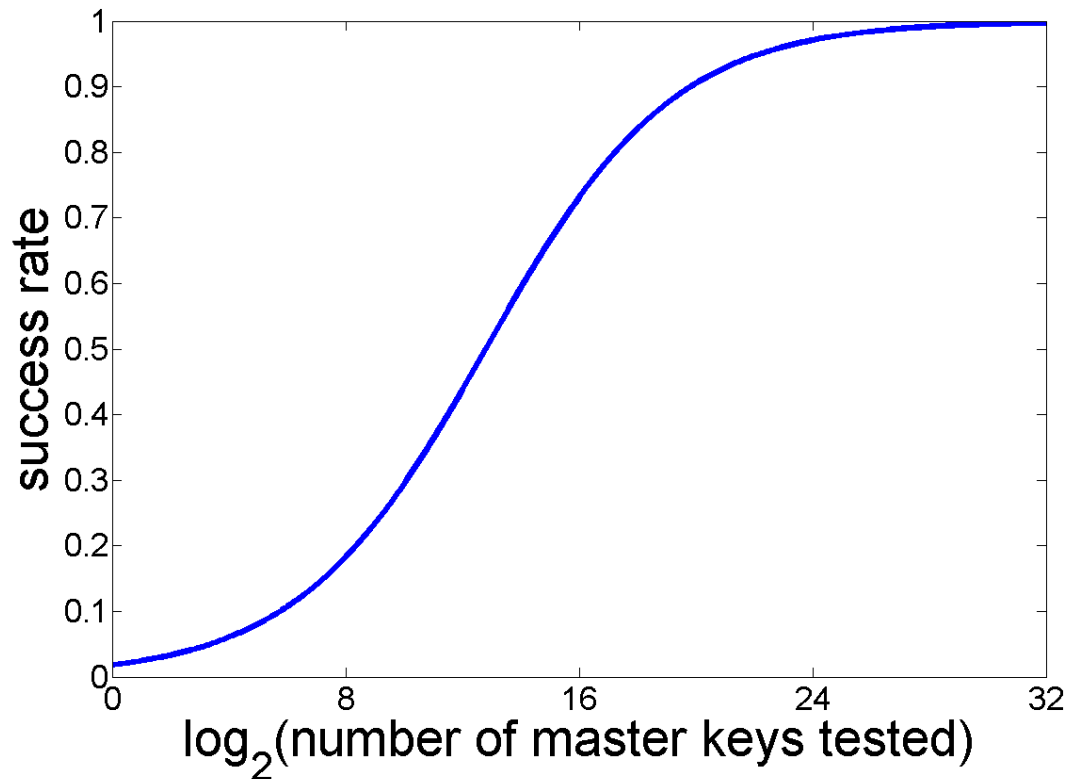
- Note: previous discussion mainly relates to the data complexity of side-channel attacks
- Time/memory complexity also matters



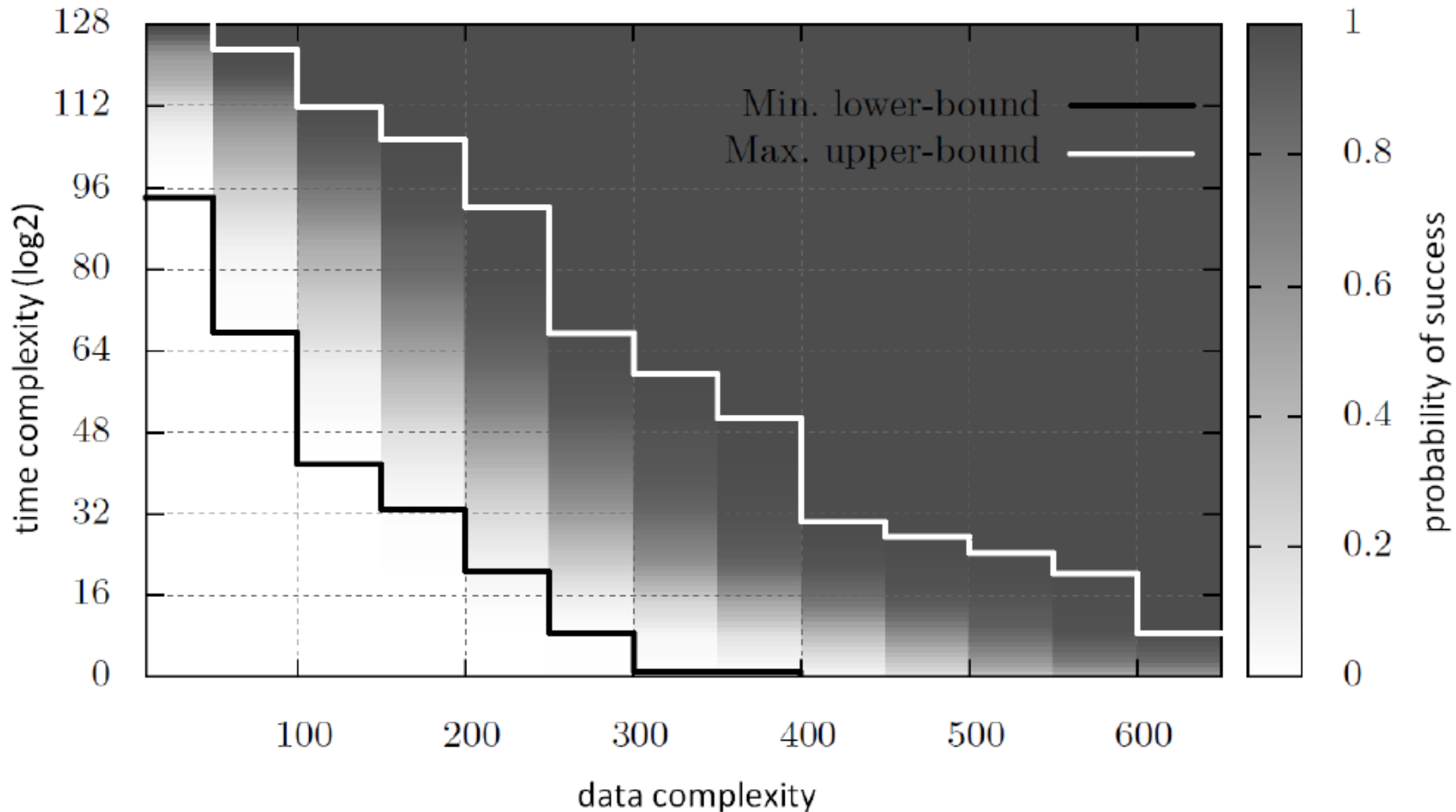
- Note: previous discussion mainly relates to the data complexity of side-channel attacks
- Time/memory complexity also matters
  
- In the context of “standard DPA”, the exploitation of computation is typically reflected by:
  - Key enumeration
  - Rank estimation



- Significant impact on the success rates!
- Very efficient attack tool (e.g. DPA contest)



- Missing data can always be traded for computations



- Evaluator's counterpart to key enumeration (the key must be known!) leading to complete security graphs

Main message:

- Possibility to “bound” the information leakage
- i.e. to know how far actual security evaluations computing the PI are from the true (unknown) MI
- Next: find meaningful examples/counterexamples

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- Possibility to “bound” the information leakage
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Cautionary note:

- Fair evaluations must consider both data and time
  - i.e. enumeration and rank estimation for DPA
  - But also algebraic side-channel attacks [11]

1. F.-X. Standaert, T.G. Malkin, M. Yung, *A Unified Framework for the Analysis of Side-Channel Key Recovery Attacks*, in the proceedings of Eurocrypt 2009, Lecture Notes in Computer Science, vol 5479, pp 443-461, Cologne, Germany, April 2009, Springer.
2. M. Renaud, F.-X. Standaert, N. Veyrat-Charvillon, D. Kamel, D. Flandre, *A Formal Study of Power Variability Issues and Side-Channel Attacks for Nanoscale Devices*, in the proceedings of Eurocrypt 2011, Lecture Notes in Computer Science, vol 6632, pp 109-128, Tallinn, Estonia, May 2011, Springer.
3. F.-X. Standaert, N. Veyrat-Charvillon, E. Oswald, B. Gierlichs, M. Medwed, M. Kasper, S. Mangard, *The World is Not Enough: Another Look on Second-Order DPA*, in the proceedings of Asiacrypt 2010, Lecture Notes in Computer Science, vol 6477, pp 112-129, Singapore, December 2010, Springer.
4. S. Mangard, E. Oswald, F.-X. Standaert, *One for All - All for One: Unifying Standard DPA Attacks*, in IET Information Security, vol 5, issue 2, pp 100-110, June 2011.
5. F.-X. Standaert, C. Archambeau, *Using Subspace-Based Template Attacks to Compare and Combine Power and Electromagnetic Information Leakages*, in the proceedings of CHES 2008, Lecture Notes in Computer Science, vol 5154, pp 411-425, Washington DC, USA, August 2008, Springer.
6. C. Whitnall, E. Oswald, F.-X. Standaert, *The Myth of Generic DPA... and the Magic of Learning*, Cryptology ePrint Archive, report 2012/038.

7. N. Veyrat-Charvillon, M. Medwed, S. Kerckhof, F.-X. Standaert, *Shuffling Against Side-Channel Attacks: a Comprehensive Study with Cautionary Note*, in the proceedings of Asiacrypt 2012, Lecture Notes in Computer Science, vol 7658, pp 740-757, Beijing, China, December 2012, Springer.
8. F. Durvaux, M. Renaud, F.-X. Standaert, L. van Oldeneel tot Oldenzeel, N. Veyrat-Charvillon, *Efficient Removal of Random Delays from Embedded Software Implementations using Hidden Markov Models*, in the proceedings of CARDIS 2012, Lecture Notes in Computer Science, vol 7771, pp 123-140, Graz, Austria, November 2012, Springer.
9. N. Veyrat-Charvillon, B. Gerard, M. Renaud, F.-X. Standaert, *An optimal Key Enumeration Algorithm and its Application to Side-Channel Attacks*, in the proceedings of SAC 2012, Lecture Notes in Computer Science, vol 7707, pp 391-407, Windsor, Ontario, Canada, August 2012, Springer.
10. N. Veyrat-Charvillon, B. Gerard, F.-X. Standaert, *Security Evaluations Beyond Computing Power: How to Analyze Side-Channel Attacks you Cannot Mount?*, to appear in the proceedings of Eurocrypt 2013, Lecture Notes in Computer Science, vol 7881, pp 126-141, Athens, Greece, May 2013, Springer.
11. M. Renaud, F.-X. Standaert, *Algebraic Side-Channel Attacks*, in the proceedings of Inscrypt 2009, Lecture Notes in Computer Science, vol 6151, pp 393-410, Beijing, China, December 2009, Springer



# THANKS

<http://perso.uclouvain.be/fstandae/>